CSMP Mathematics for the Intermediate Grades Part IV

Worksheets

What's In This Book?

This book contains all the worksheets you will need for *CSMP* for the Intermediate Grades, Part IV. Worksheets are labeled with the same letter and number as the lessons with which they are used. In this book, they are in the following order:

N Worksheets

N2	N10	N23
N3	N12	N24
N4	N14	N26
N5	N15	N27
N6	N16	N30
N7	N19	N31
N8	N20	N34
N9	N22	N35

L Worksheets

L1	L4	L7
L3	L6	L10

G Worksheets

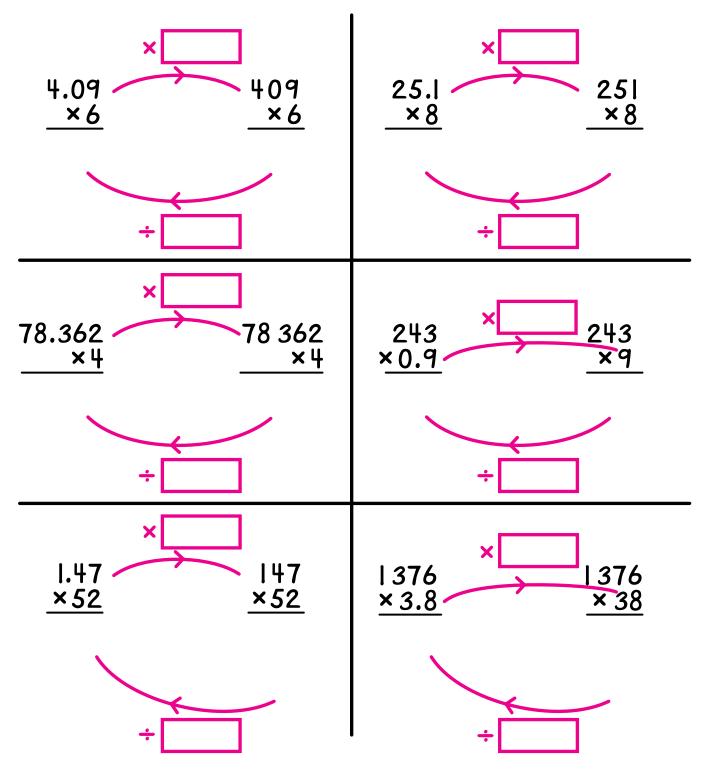
G2	G4
G3	G6

P Worksheets

P4	P7	P9
P5	P8	

*

In each example, first do the multiplication problem on the right, fill in the boxes for the arrows, and then use these answers to do the multiplication problem on the left.

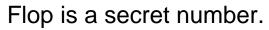


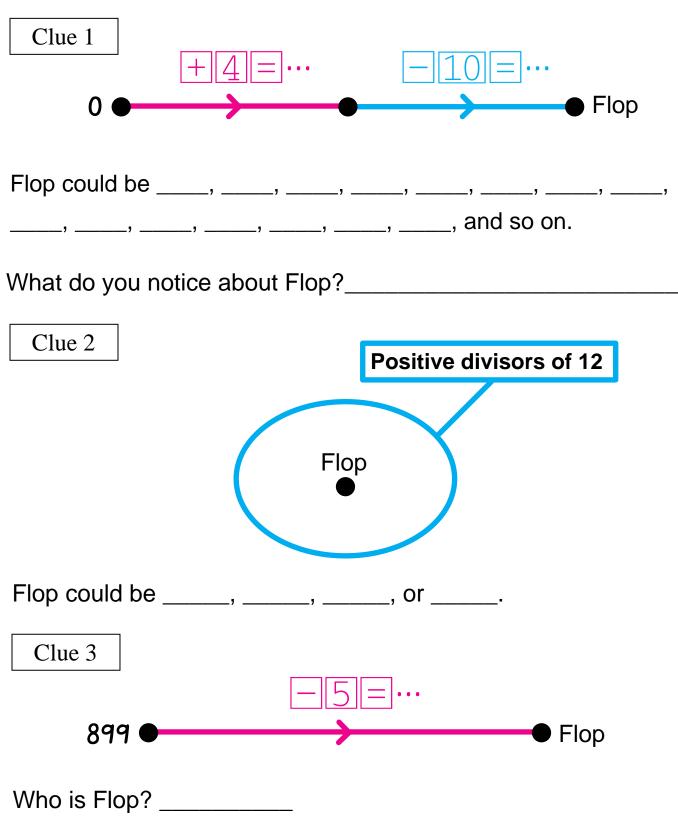
Ν	ar	ne	Ś
---	----	----	---

A family of four uses 2.57 liters of milk a day on average. How much milk will they consume in January?

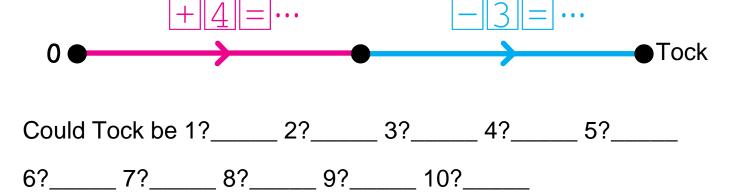
Maia spends 1.48 hours a day on average eating meals. How many hours will she spend eating in a year (365 days)?

Each day Gus spends \$1.65 on lunch at school. How much will Gus spend on lunch during the school year if he buys lunch 170 days?





Name	N3	**



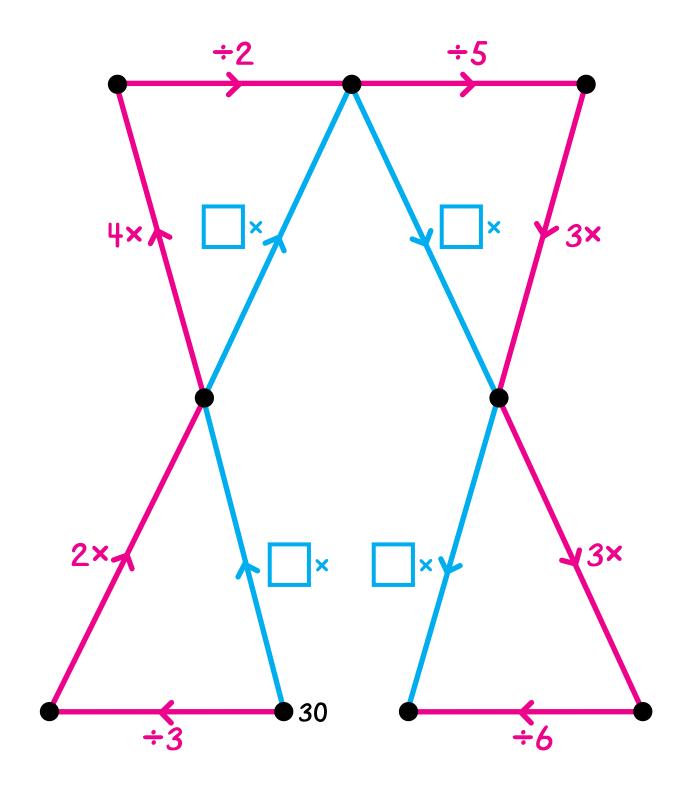
Is there any whole number that Tock cannot be?_____

Could ⁻	Fock be ⁻1?	 3?	4?	
-5?	6?			

What do you notice about Tock?_____

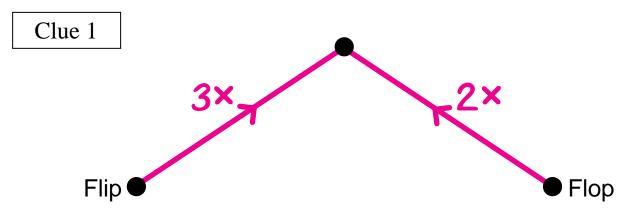
*

Label each dot and fill in the box for each blue arrow.



Name	N4	**

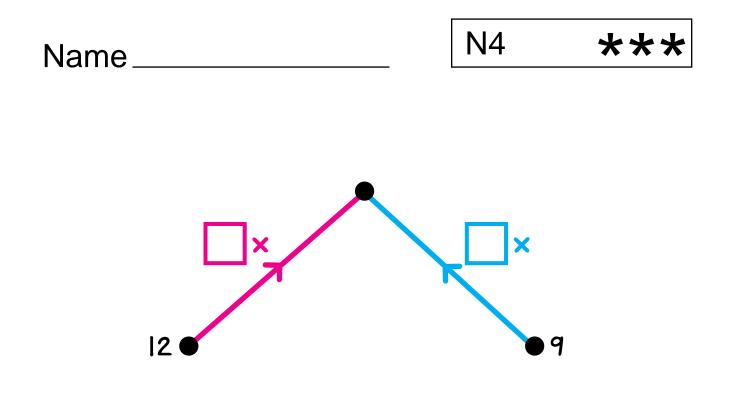
Flip and Flop are secret numbers.



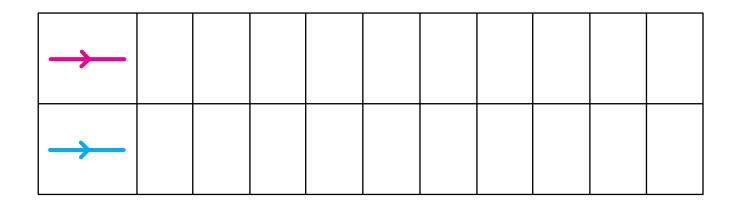
Fill in this chart with pairs of numbers that Flip and Flop could be.

Flip		10		40			200	
Flop			30		120			900



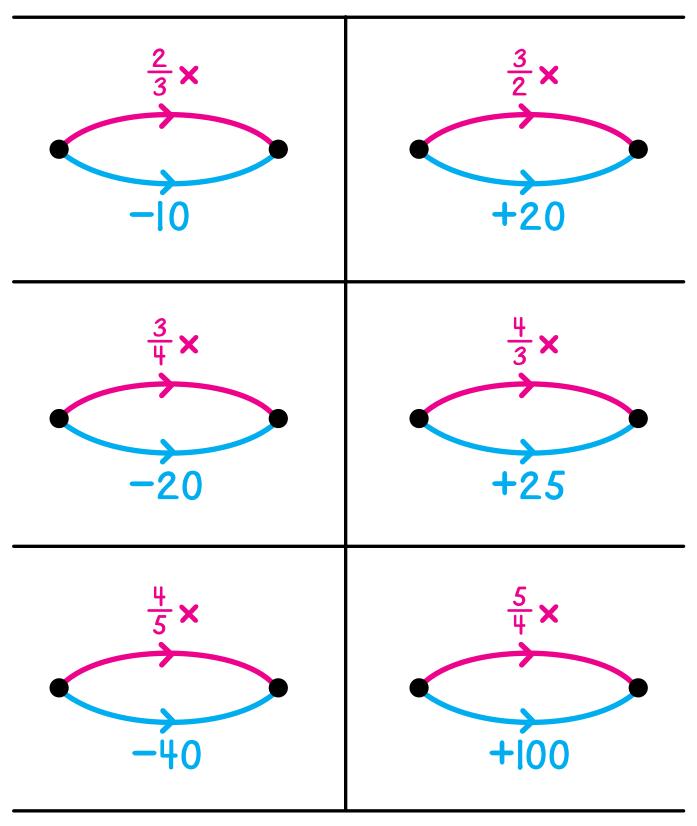


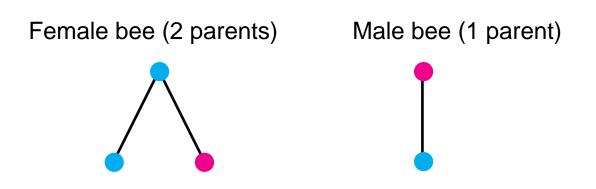
Find some ways to fill in the boxes for the arrows. Many solutions are possible. Use this table to show some of them.



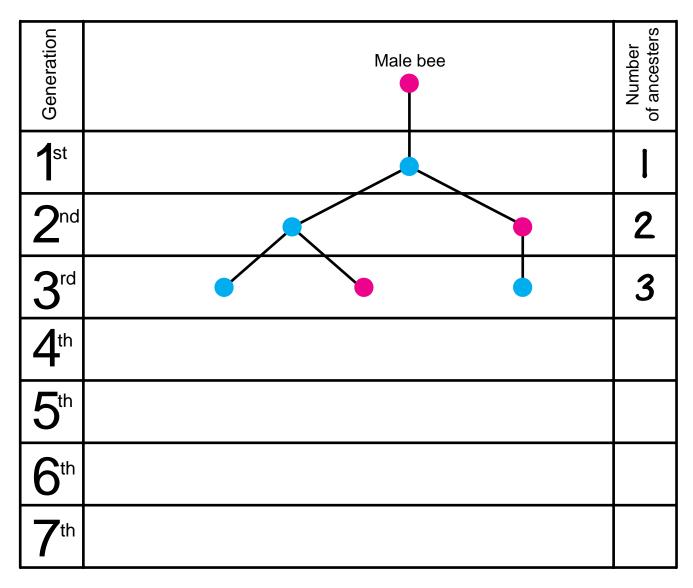
N4 ********

Label the dots.

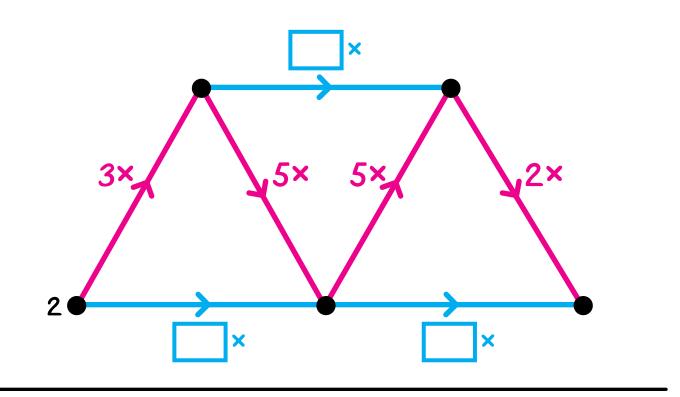


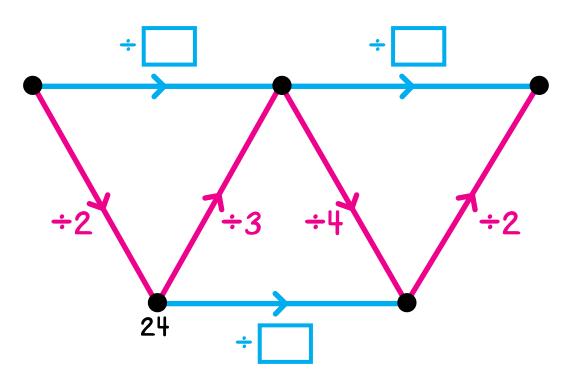


Complete the family tree to find the number of ancestors in each generation. Three generations are done for you.

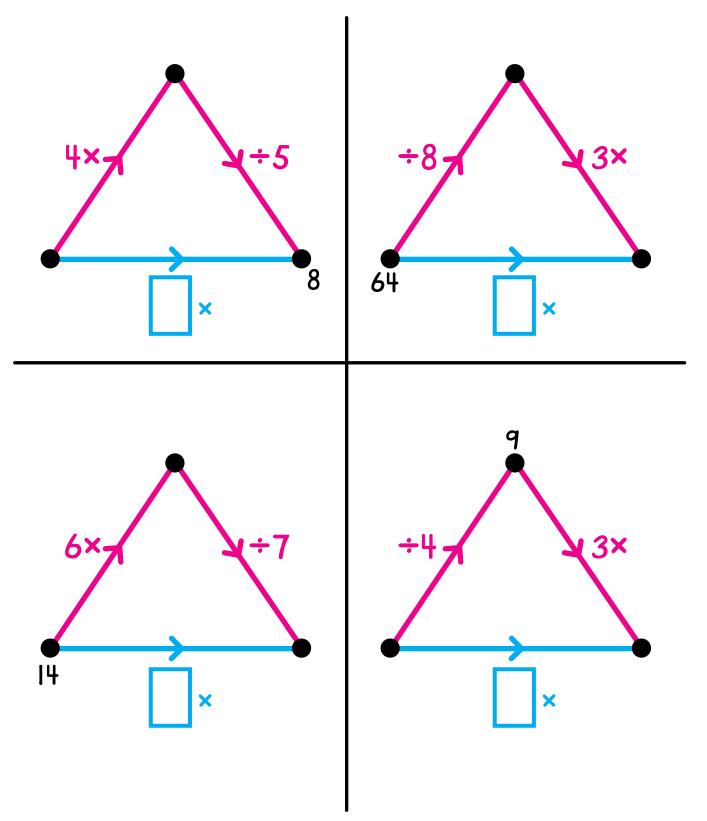


Label the dots and fill in the boxes for the blue arrows.



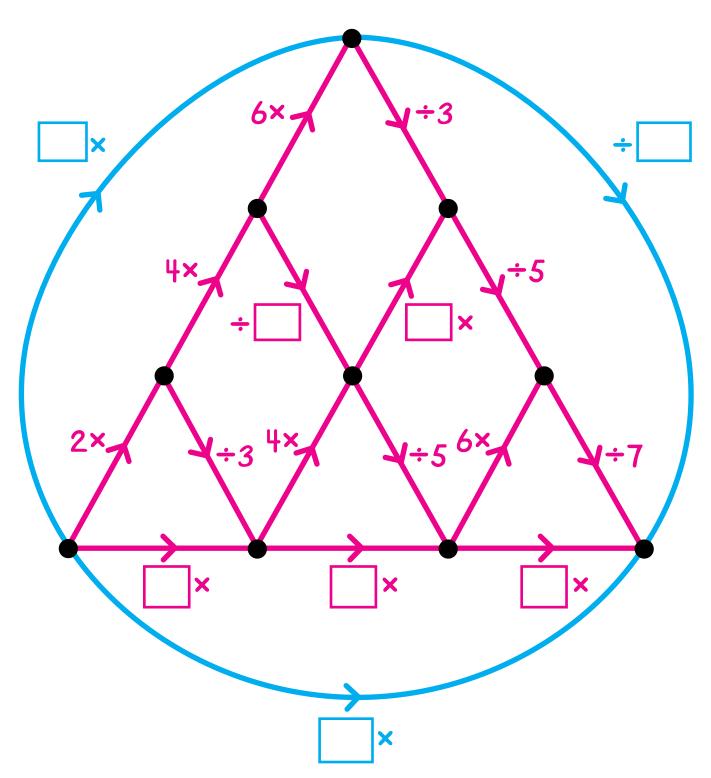


Label the dots and fill in the boxes for the blue arrows.



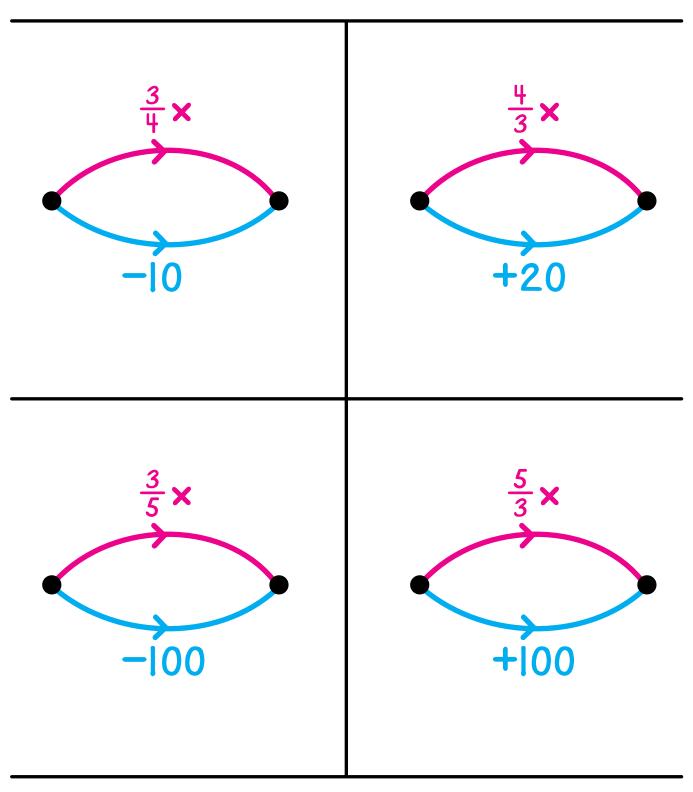
N6 ***

Fill in the boxes for the arrows.



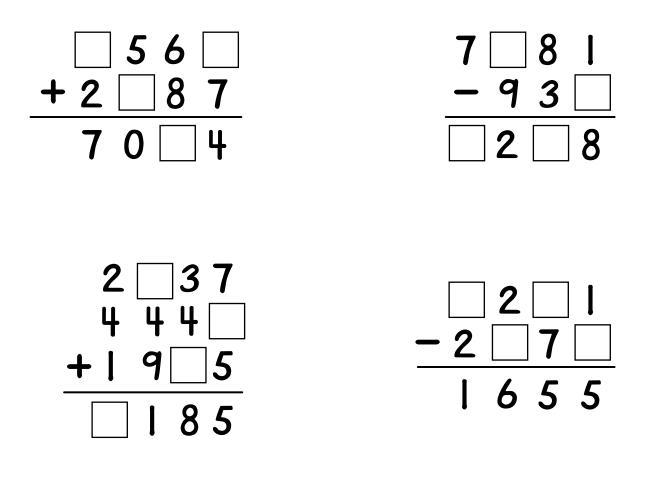
N6 ********

Label the dots.



Name	N7 *
Add.	Subtract.
567	7 049
33 285	-4 856
+7 848	

Complete each problem. Put a single digit in each box to make the calculations correct.



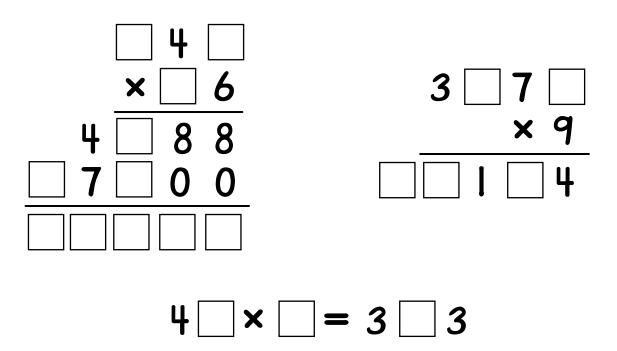
N7

**

Multiply.

6 937 <u>× 87</u>

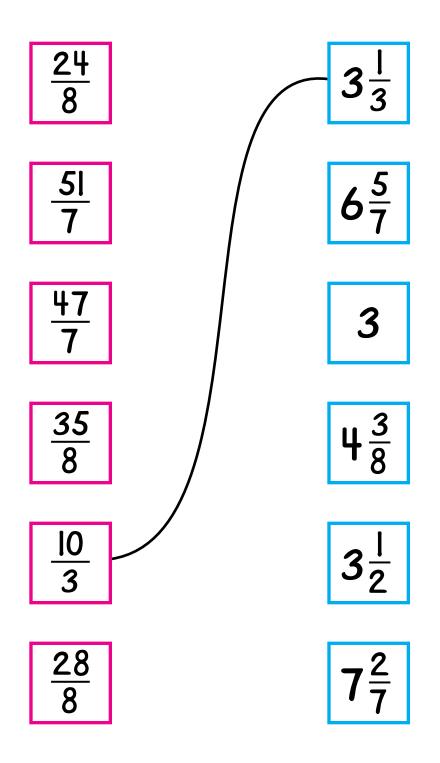
Complete each problem. Put a single digit in each box to make the calculations correct.



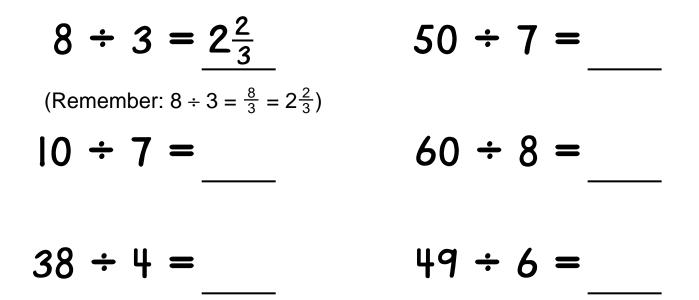
Label the dots on the number lines. 54 5 10 102 14.3 14.6

(Be careful!)

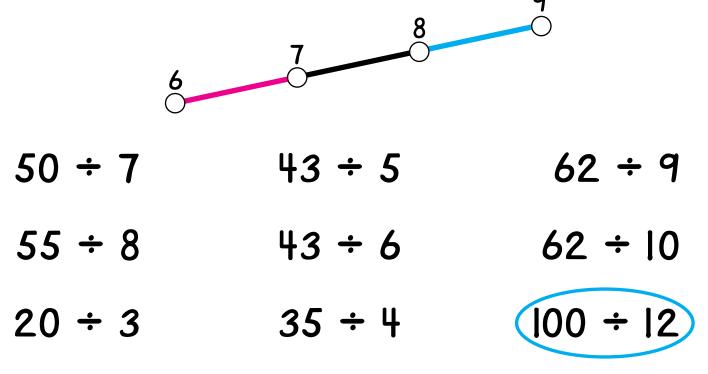
Pair each red tag with a blue tag. One is done for you.



Write the solution to each of these division problems in mixed form, a whole number and a fraction. One is done for you.

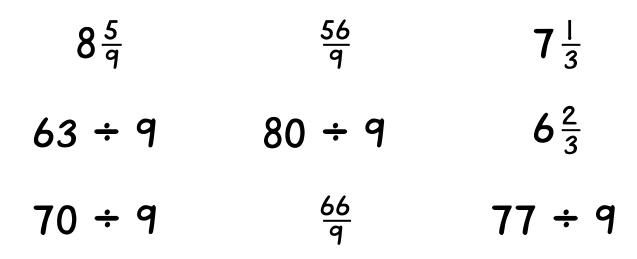


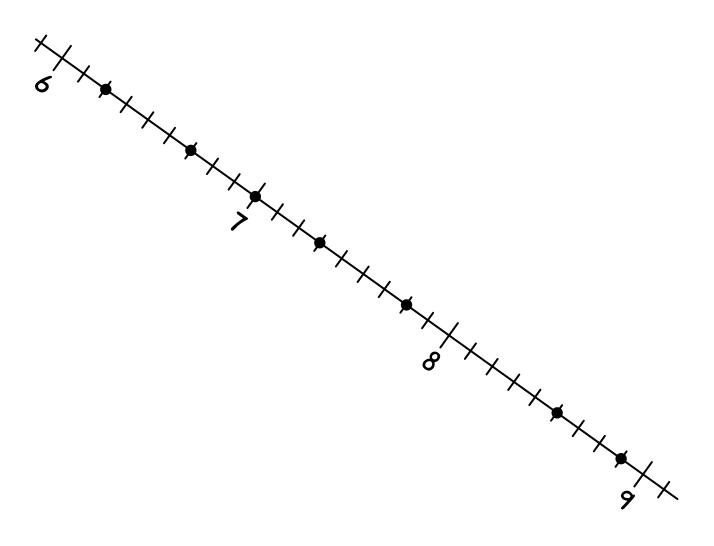
Circle each number with the color of the line segment in which it belongs. One is done for you.



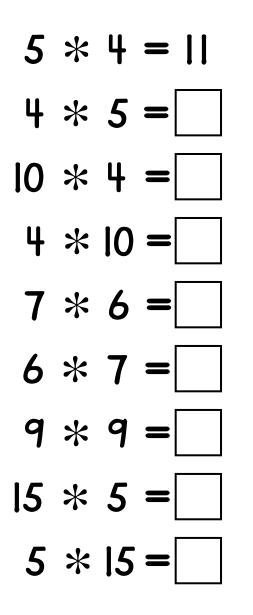
Name___

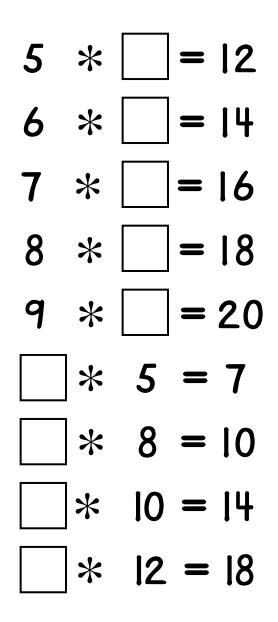
Label the dots with these numbers. Two labels may be for the same dot.

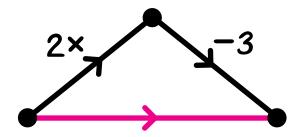




Fill in the boxes.







Label the dots.







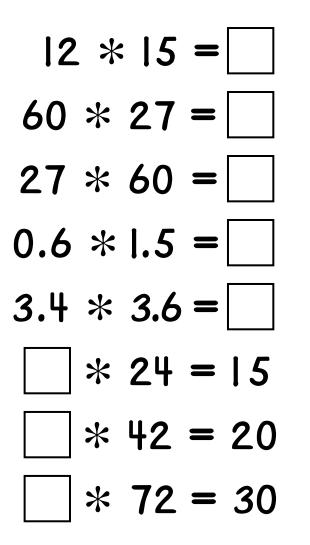


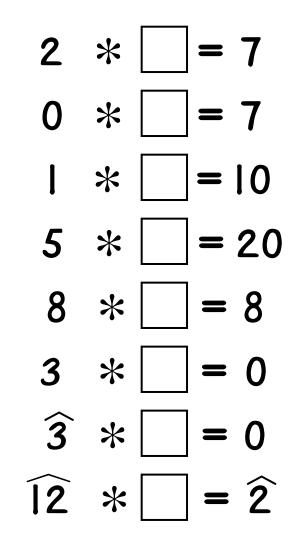
Name_

N9

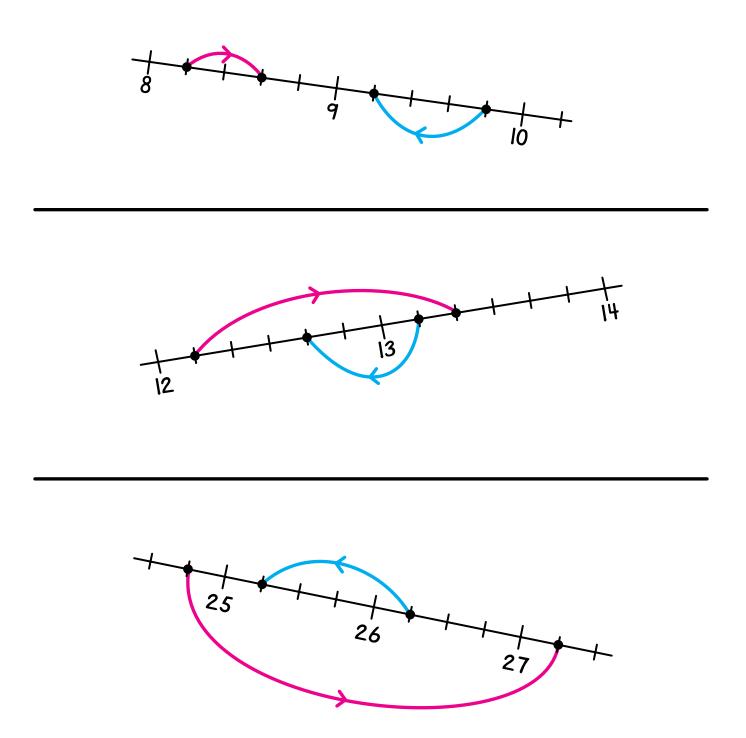
$$a * b = a + (b \div 3)$$

Fill in the boxes.

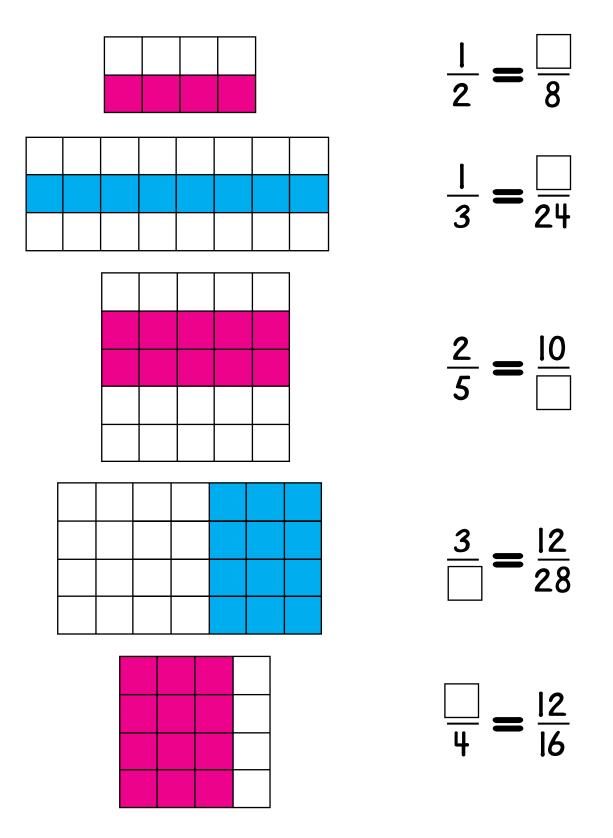


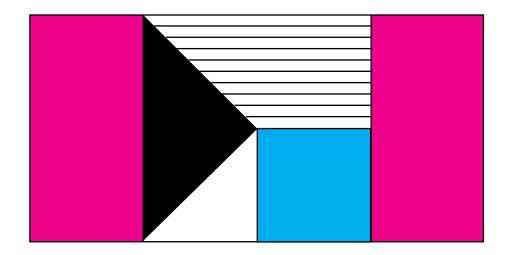


Label the starting dot and the ending dot of each arrow. Label the arrows with + or - some number.



Fill in the boxes for equivalent fractions.

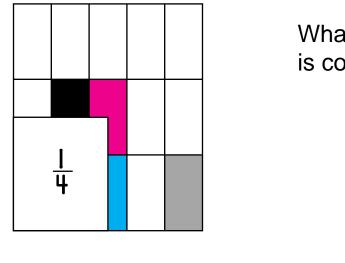




1. What fraction of the rectangle is colored

red?	
blue?	
white?	
black?	
striped?	

- What fraction of the rectangle is not red? _____
 What fraction of the rectangle is not blue? _____
 What fraction of the rectangle is not black? _____
- 3. What fraction of the rectangle is colored red or blue? _____ What fraction of the rectangle is colored black or blue? _____

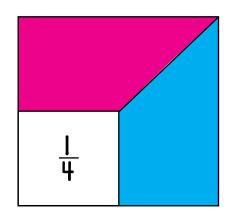


What fraction of the rectangle
s colored gray?

blue? _____

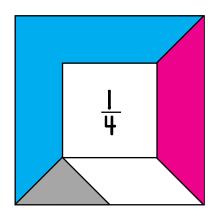
black?

red?



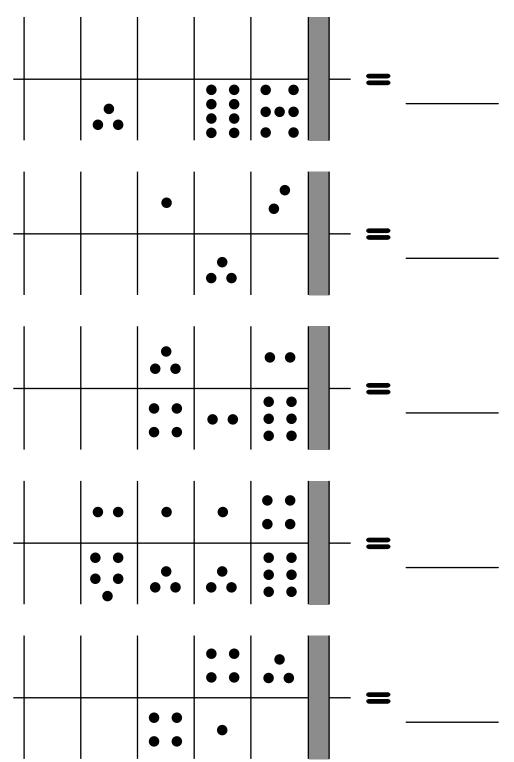
What fraction of the rectangle
is colored red?

blue?



What fraction of this colored gray?	ne square
blue?	
red?	

What number is on Nabu's abacus? You may make trades if you wish.



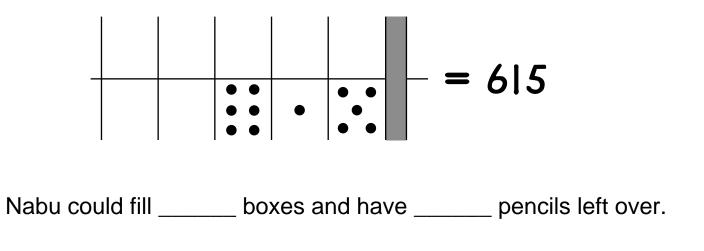
*

N12

Name	

On each abacus, show the trades Nabu could make to determine the number of boxes he could fill.

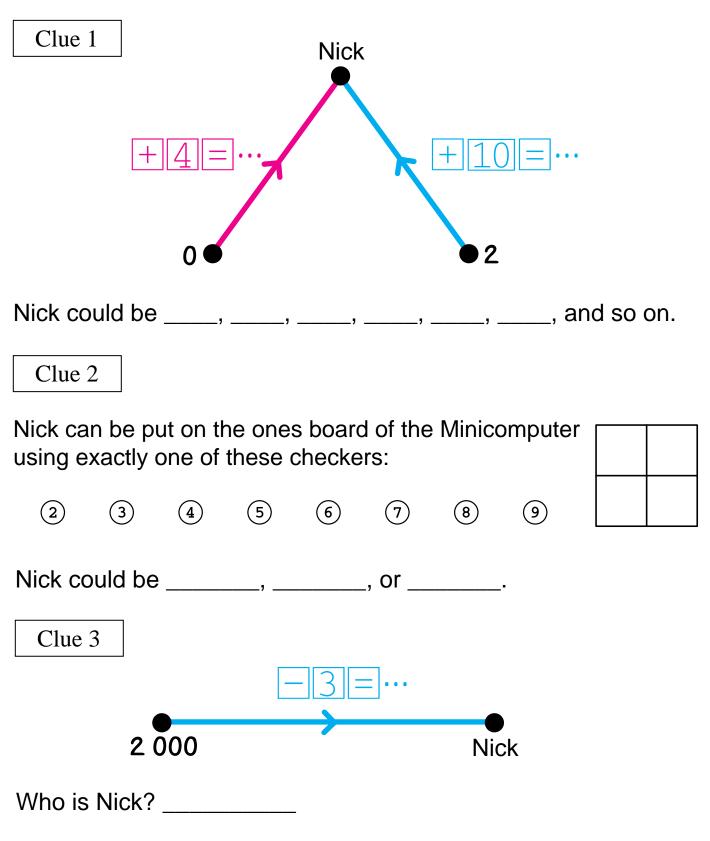
Nabu must pack 615 pencils into boxes. Each box holds nine pencils.



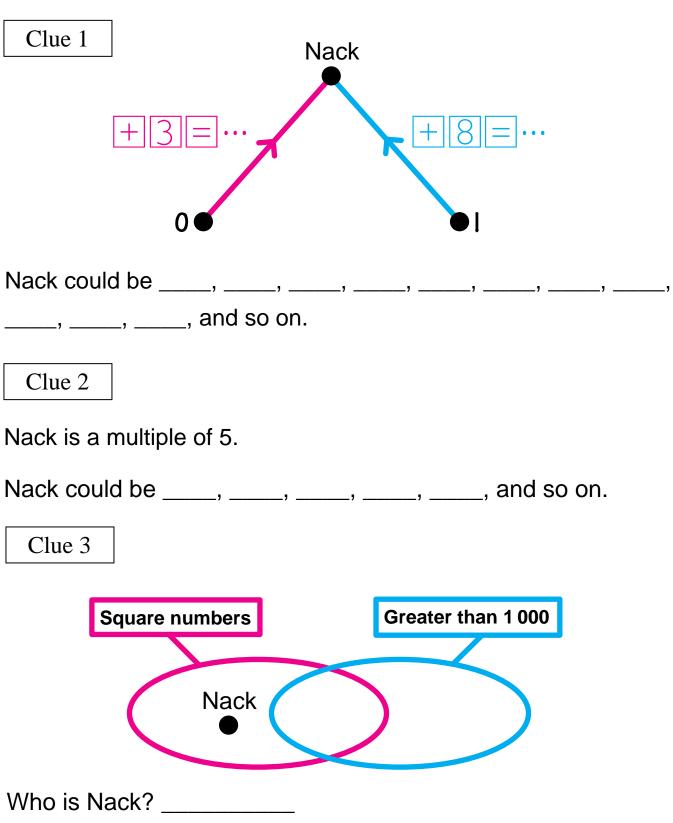
Nabu must pack 6728 pencils into boxes. Each box holds nine pencils.

Nabu could fill _____ boxes and have _____ pencils left over.

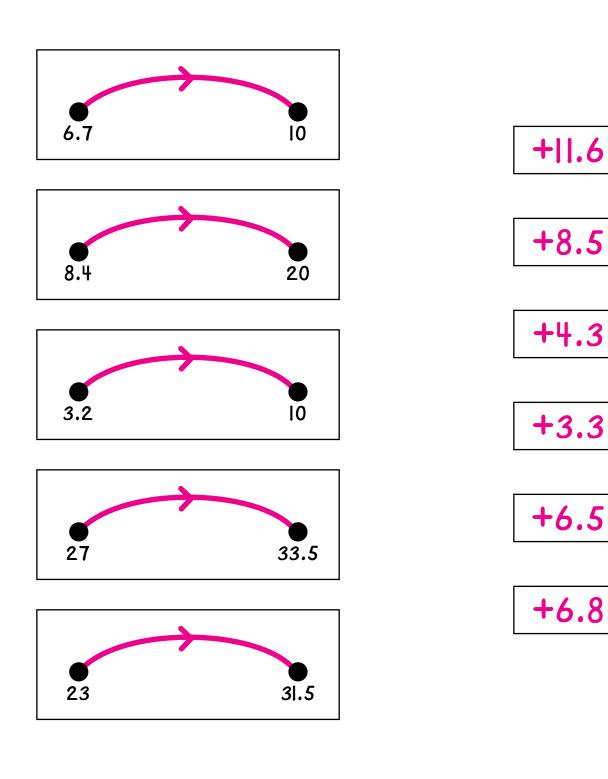
Nick is a secret number.



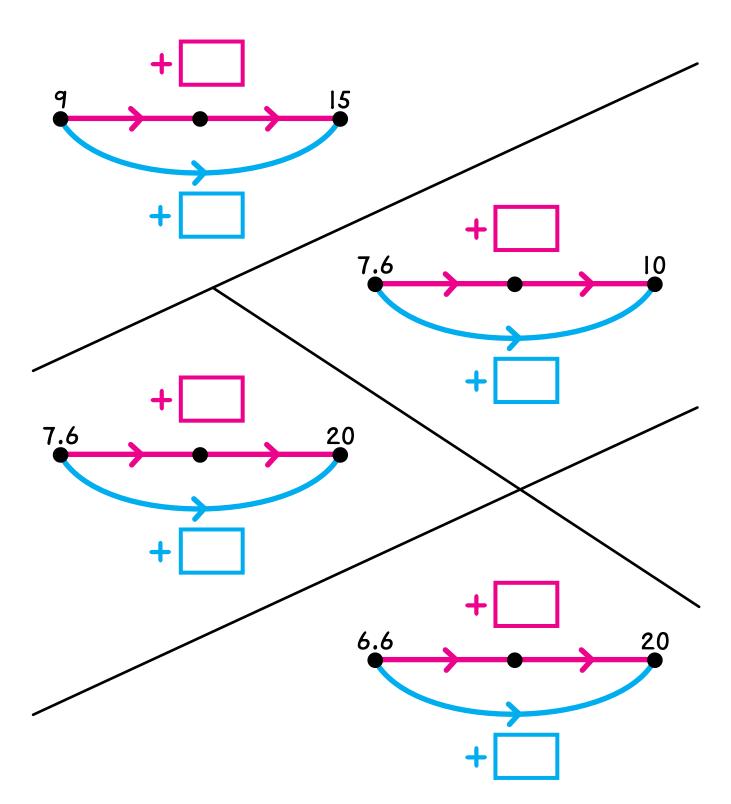
Nack is a secret number.



Pair each arrow with the correct label. One label will not be used.



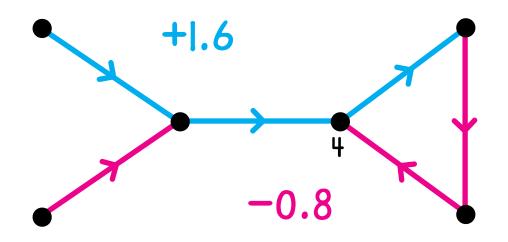
Label the arrows; then label the dots.



Tod is a secret number.

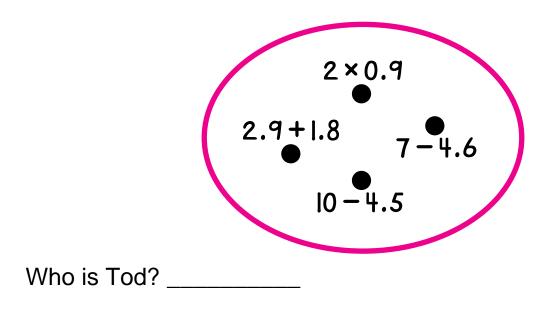


Tod is in this arrow picture.

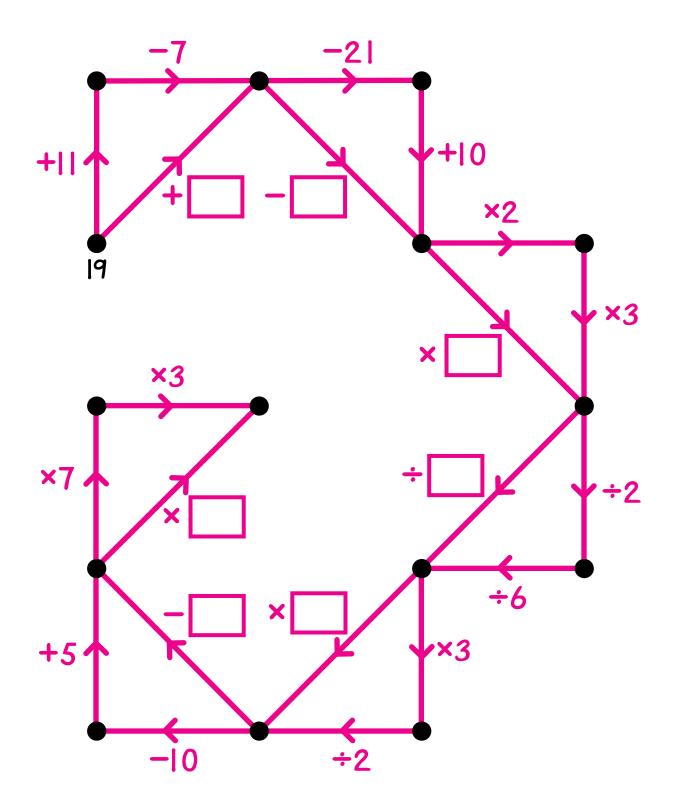


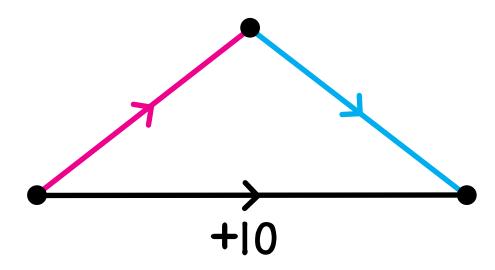
Clue 2

Tod is in this string picture.



Label the dots and fill in the boxes for the arrows.



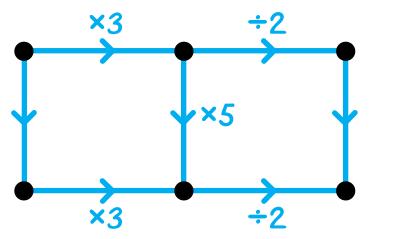


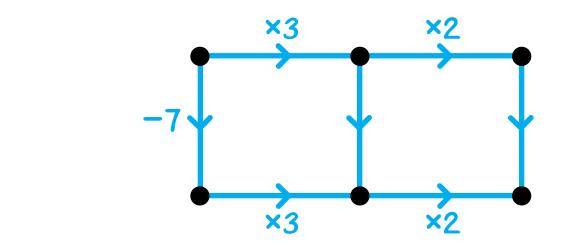
Complete the charts.

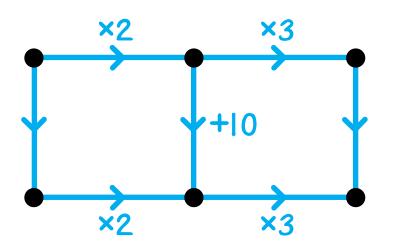
\rightarrow	\rightarrow
+3	+7
-3	
	-15
-100	
	+ 5

\rightarrow	\rightarrow
+3.6	
	+1.9
-2.5	
	+ 3.7
+2.65	
	-1.25

Label the unlabeled arrows. Each arrow should be +, -, \times , or \div some whole number.

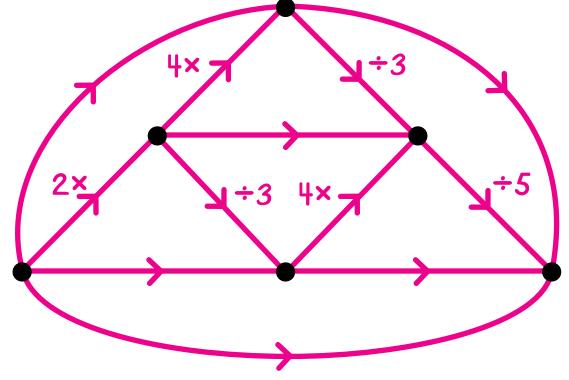


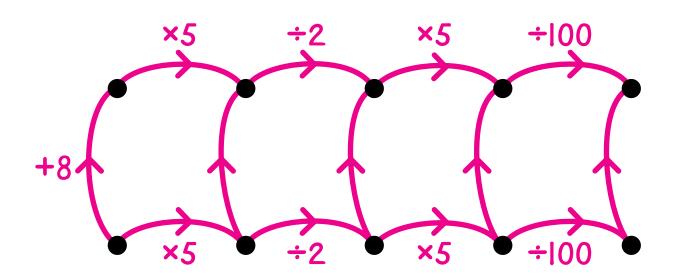




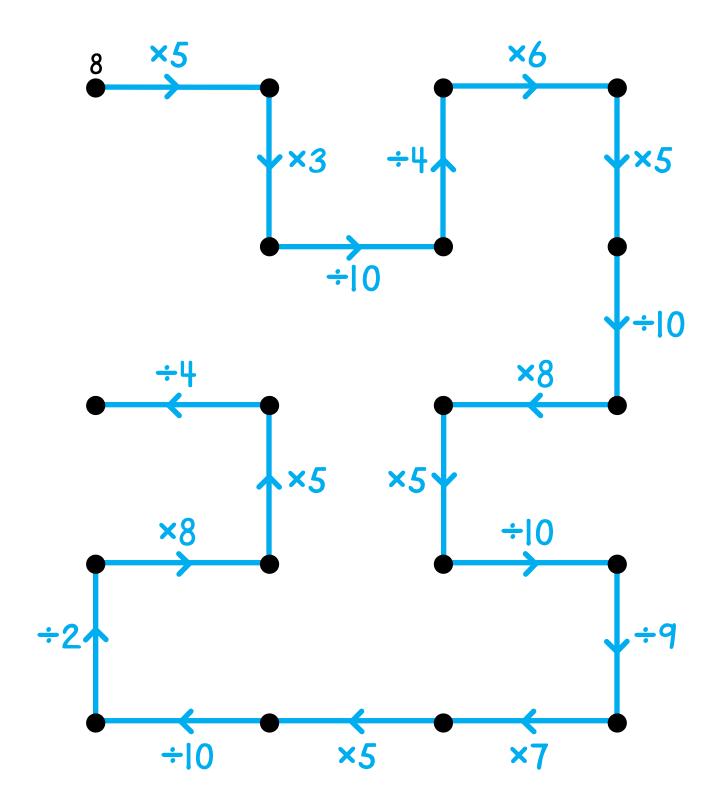
Label the unlabeled arrows. Each arrow should be +, -, \times , or \div some number.

Name_____





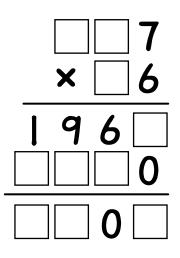
Label the dots.

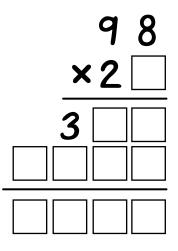


*

Name	N19	**
Multiply.		
68	13	37
<u>×42</u>	×5	59

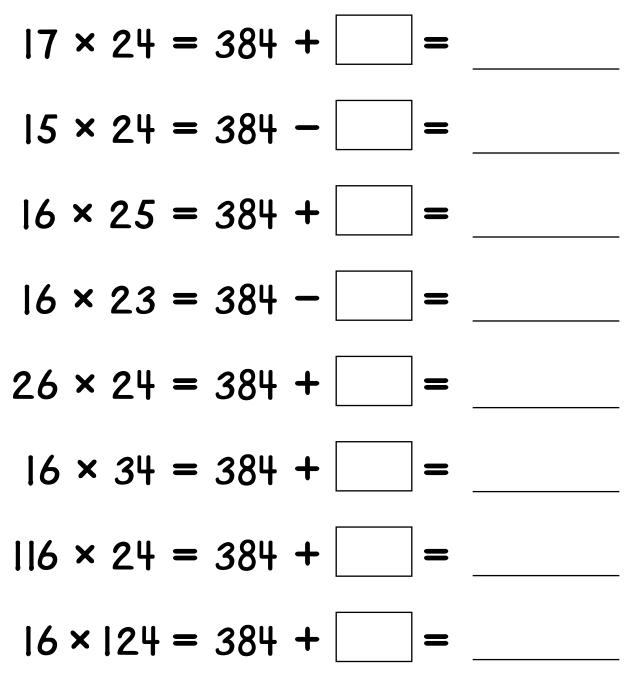
Complete each problem. Put a single digit in each box to make the calculations correct.

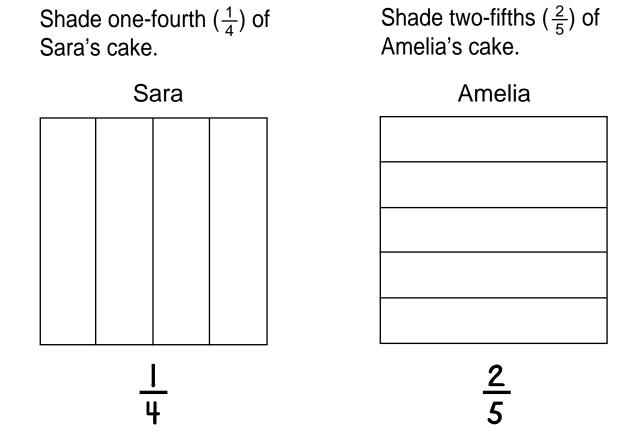




$16 \times 24 = 384$

Complete.



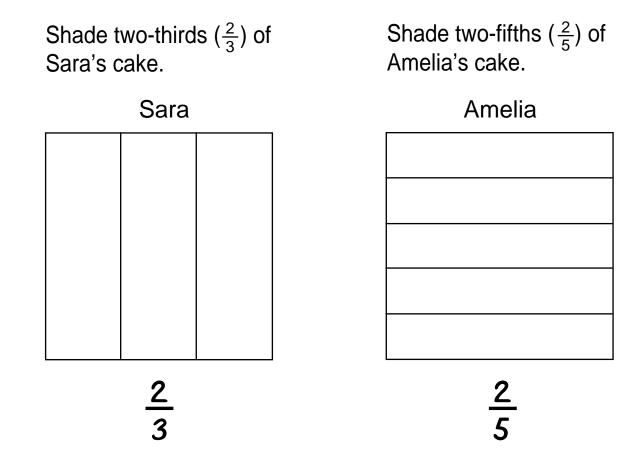


Make Sara's cuts on Amelia's cake.

Make Amelia's cuts on Sara's cake.

Use the pictures to solve this problem.

$$\frac{1}{4} + \frac{2}{5} =$$



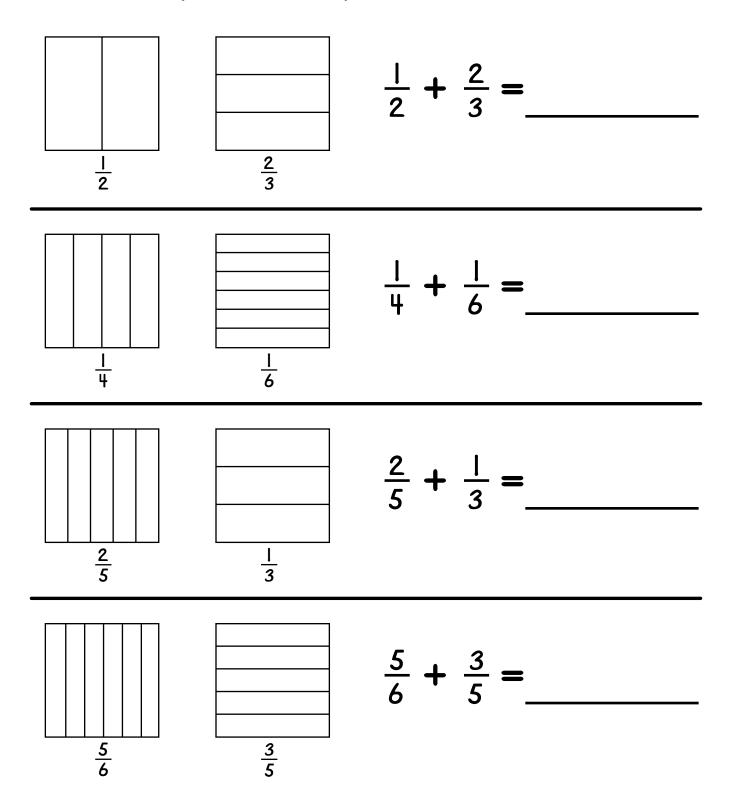
Make Sara's cuts on Amelia's cake.

Make Amelia's cuts on Sara's cake.

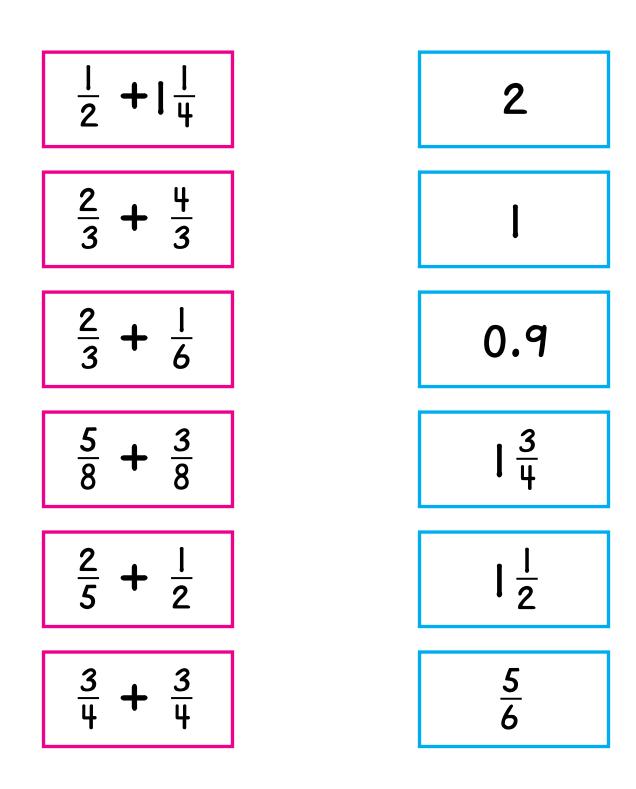
Use the pictures to solve this problem.

$$\frac{2}{3} + \frac{2}{5} =$$

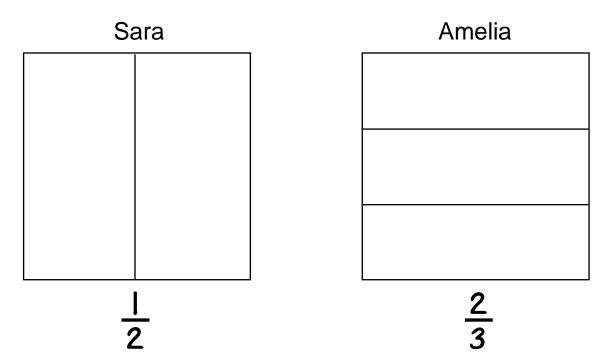
Shade the fractional part of each square region. Then use the pictures to complete the number stories.



Match each red box with a blue box.



Shade one-half $\left(\frac{1}{2}\right)$ of Sara's cake.



Make Amelia's cuts on Sara's cake.

Make Sara's cuts on Amelia's cake.

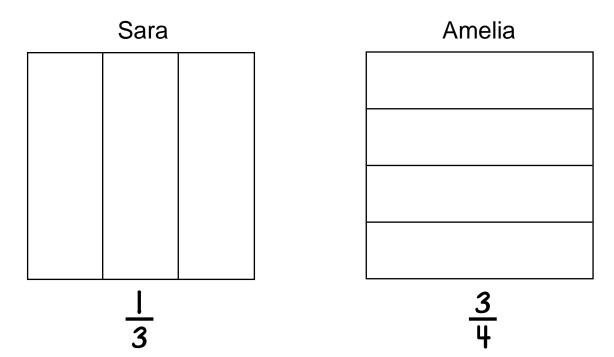
Use the pictures to solve these problems.

$$\frac{1}{2} + \frac{2}{3} = _$$

Amelia's cake.

Shade two-thirds $\left(\frac{2}{3}\right)$ of

Shade one-third $\left(\frac{1}{3}\right)$ of Sara's cake.



Make Amelia's cuts on Sara's cake.

Make Sara's cuts on Amelia's cake.

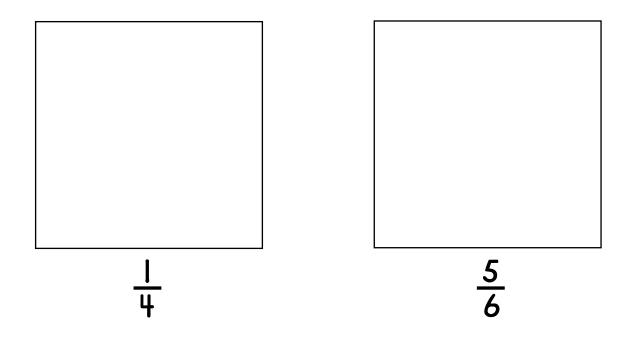
Use the pictures to solve these problems.

$$\frac{\frac{1}{3}}{\frac{3}{4}} + \frac{\frac{3}{4}}{\frac{1}{4}} = \underline{\qquad}$$

Amelia's cake.

Shade three-fourths $\left(\frac{3}{4}\right)$ of

Divide this square region into four columns. Shade one of them. Divide this square region into six rows. Shade five of them.

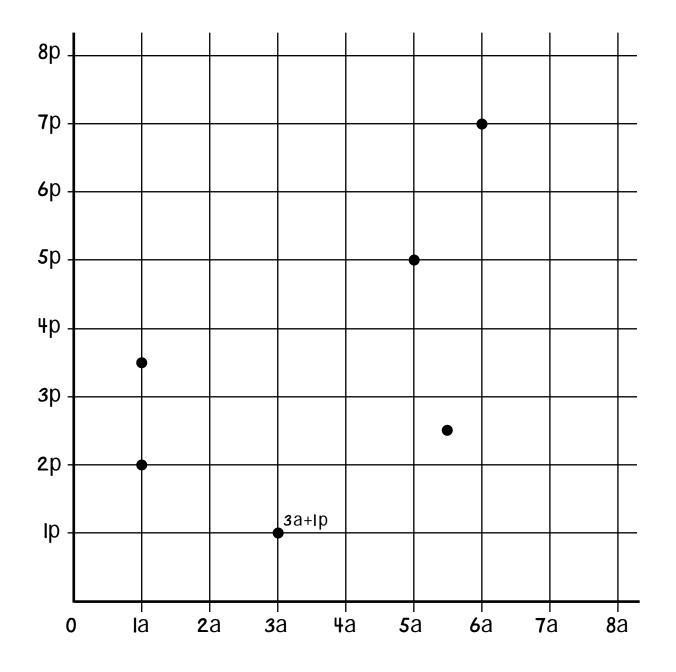


Use the pictures to solve these problems.

$$\frac{1}{4} + \frac{5}{6} =$$

Name_

Label the dots on the grid. One is done for you.



Draw and label dots for these purchases.

5a + Ip2a + 3p2a + 1.5p4a + 7p0a + 5p3.5a + 4.5p

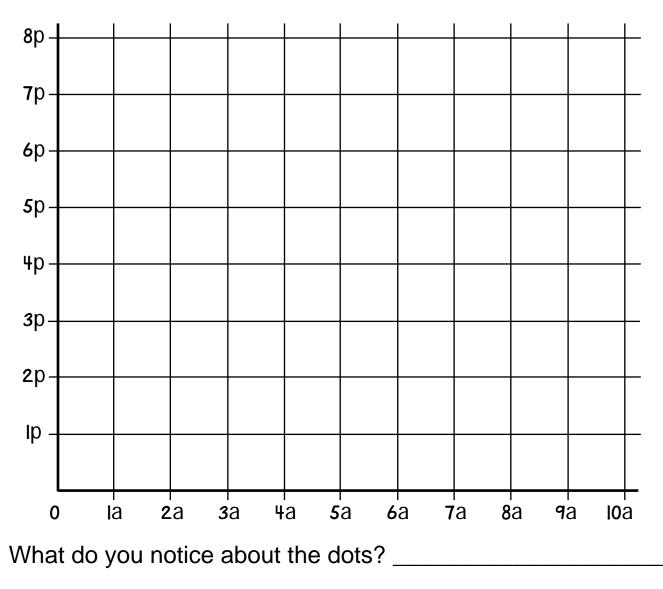
N23(b)

p (Ia) = 40¢

p(Ip) = 80¢

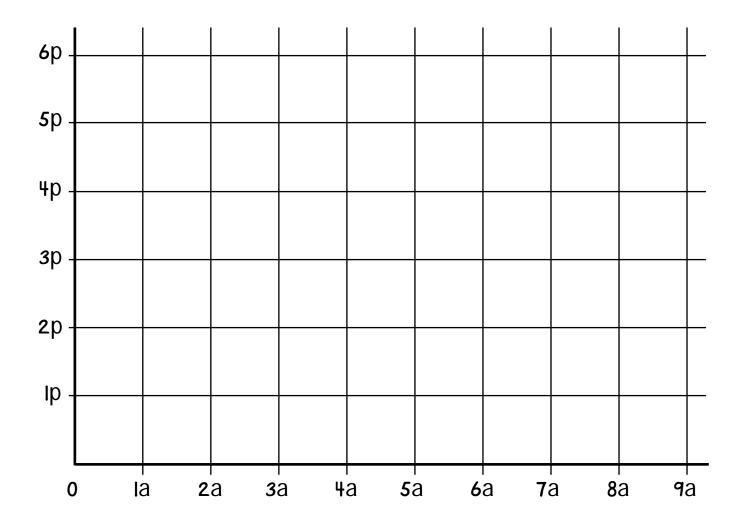
List \$4.00 purchases.

Draw a dot on the grid for each \$4.00 purchase you have found.



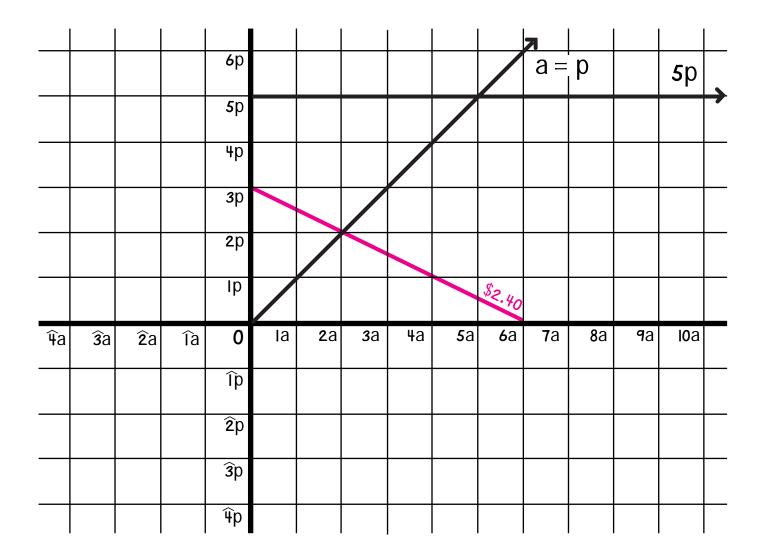
Draw and label the dots on the grid for these purchases.

8a + 3p 2a + 4p 5a + 0p 2.5a + 3p 8.25a + 5.5p



Draw and label dots for these purchases.

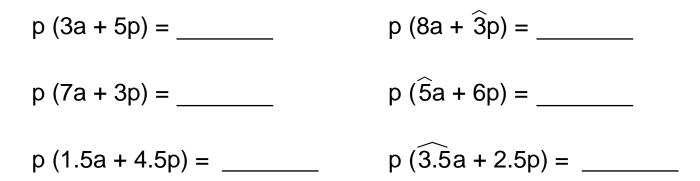
3a + 4p 3a + 4p 2a + 1p 4a + 4p 3a + 0p



N24(c)

 $p(Ia) = 40^{c}$ $p(Ip) = 80^{c}$

Calculate the cost of each purchase.



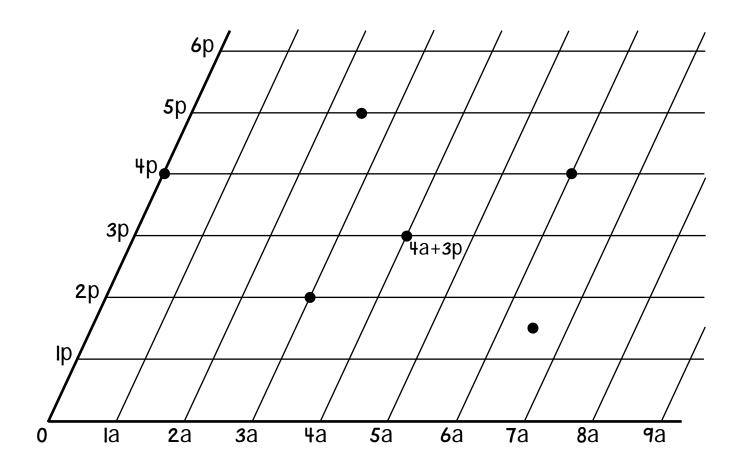
\$1.60

Complete to make each purchase cost \$1.60.



Draw dots on the grid on Worksheet N24(b) for these \$1.60 purchases. Connect the six dots with a line.

Label the dots on the grid. One is done for you.



Draw and label dots for these purchases.

2a + 4p
5a + 0p
5a + 4.5p
2.5a + 3.5p

N26

**

6p **5**p 4p **з**р **2**p Ip, **4**a **5**a **6**a **8**a 0 la 2a 32 **7**a **9**a

1. Arlene always purchases exactly 4 kg of apples. List four different purchases she could make.

____a + 3.5p 4a + ____p ____a + 0p

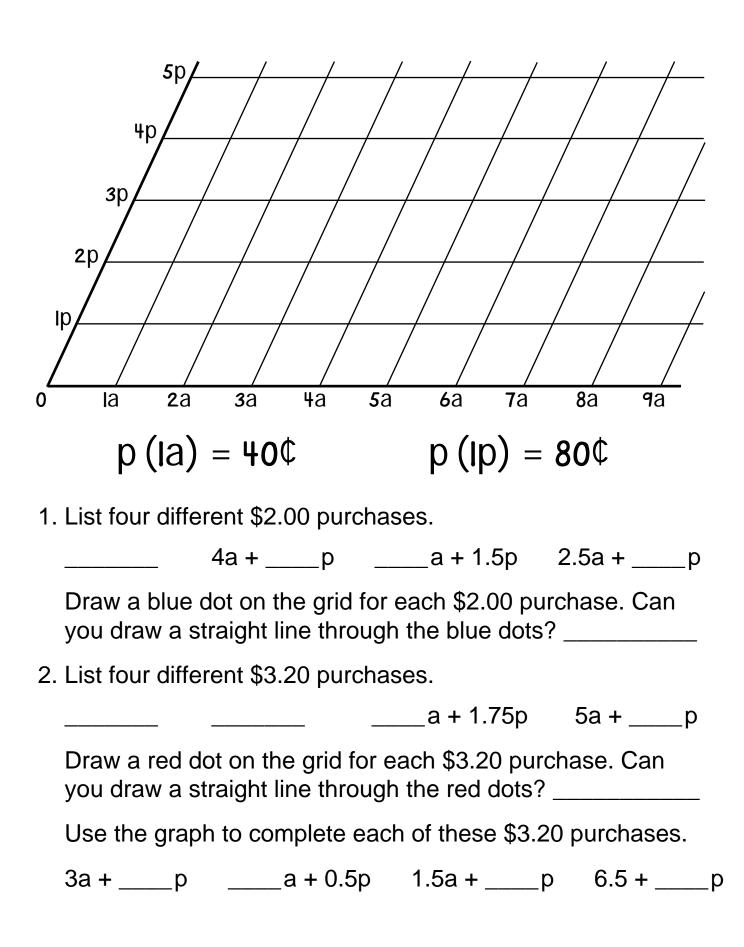
Draw a blue dot on the grid for each of these purchases. What do you notice?

2. Mr. Crab always purchases 2 more kilograms of apples than peaches. List four different purchases he could make.

____a + 5p 5.5a + ____p ___a + 0.5p

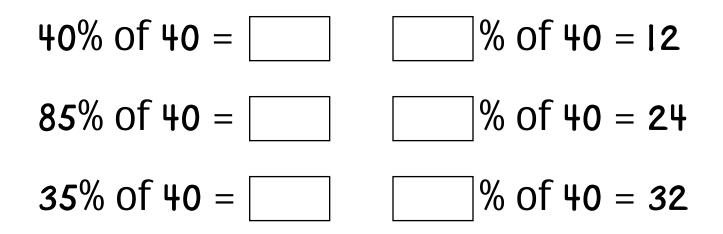
Draw a red dot on the grid for each of these purchases. What do you notice?

N26 *******



Name	N27	*
Complete.		
50% Of 40 =	10% of 40 =	
25% of 40 =	20% of 40 = [
75 % of 40 =	100% of 40 =	

Use the above results to help solve these problems.



Complete this table of test results for an 80 question true-false test.

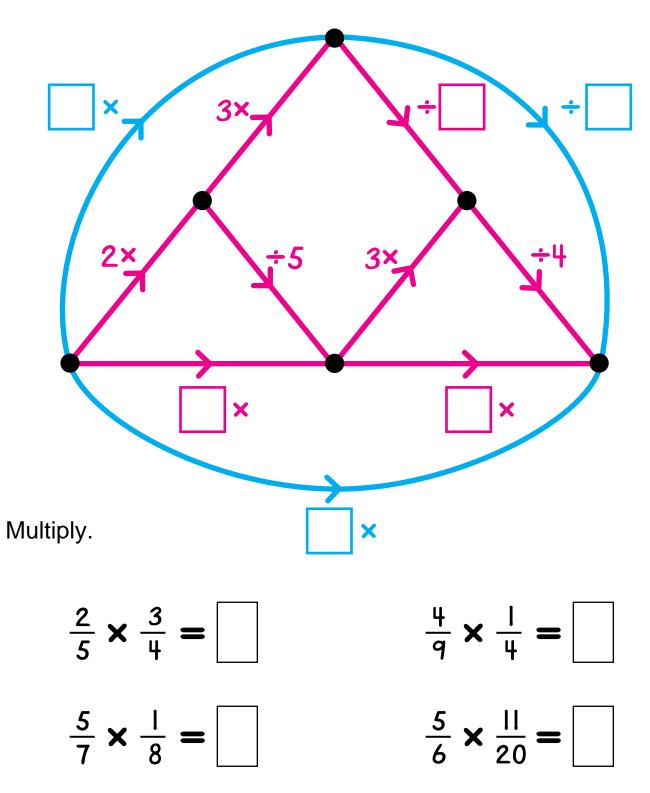
Student	Number Correct	% Correct
Willy		80%
Nancy		50%
George		55%
Ki Jong	60	
Maria	72	
Alphonso	48	

If 70% or better is a passing grade on this test, who passes? _____

How many questions must a person get correct to have a passing grade?

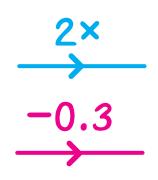
*

Label the dots and fill in the boxes for the arrows.



4

Build an arrow road from 3.2 to 4 using 2x and -0.3 arrows.





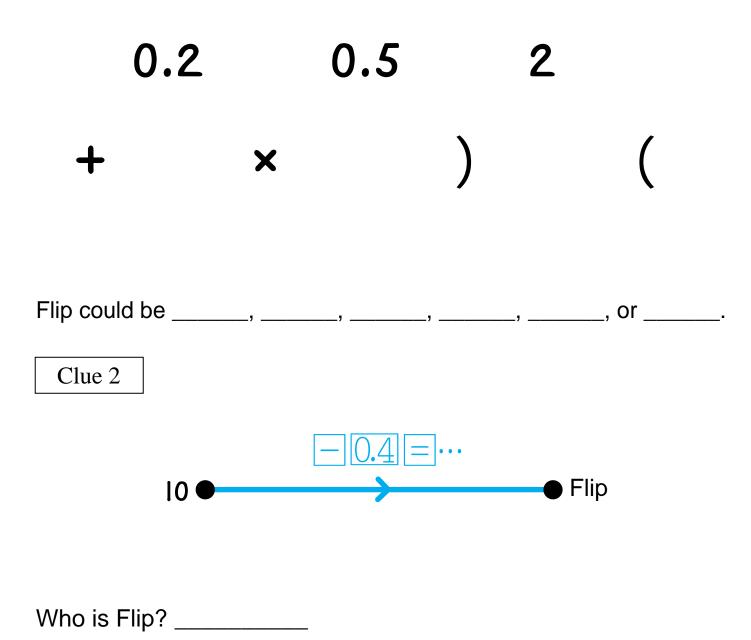
Did you use more than five arrows? _____

If your answer is yes, build another road using exactly five arrows.

Flip is a secret number.

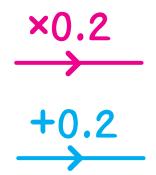


Flip's name can be written using each of these symbols exactly once.



0.04

Build an arrow road from 20 to 0.04 using x0.2 and +0.2 arrows.





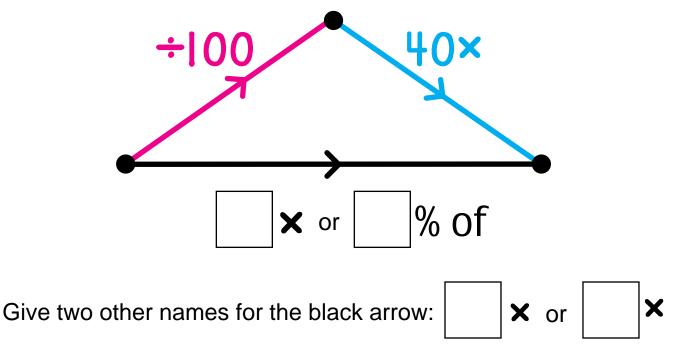
Name_

Complete.

N31 100% of 16 =50% of 80 =50% Of 16 = **25%** of **80** = 150% of 16 =10% of 80 =75% Of 16 =5% Of 80 = 25% Of 16 =15% of 80 =125% Of 16 =35% of 80 = 10% of 60 =50% of 72 = 5% of 60 = 25% of 72 =

15% of 60 = 75% of 72 =20% of 60 = 10% of 72 =40% of 60 = 35% of 72 = 45% of 60 =85% of 72 = Label the black arrow.

Name_____



Complete.

 40% of 15 = 40% of 34 =

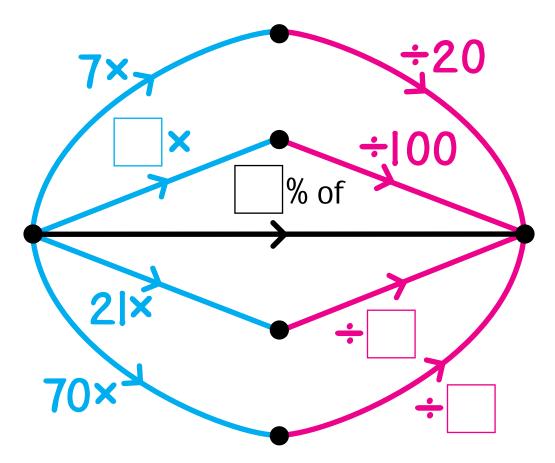
 40% of 80 = 40% of 12 =

 40% of 0 = 80% of 12 =

 40% of 0 = 80% of 0% of 0 =

N31 *******

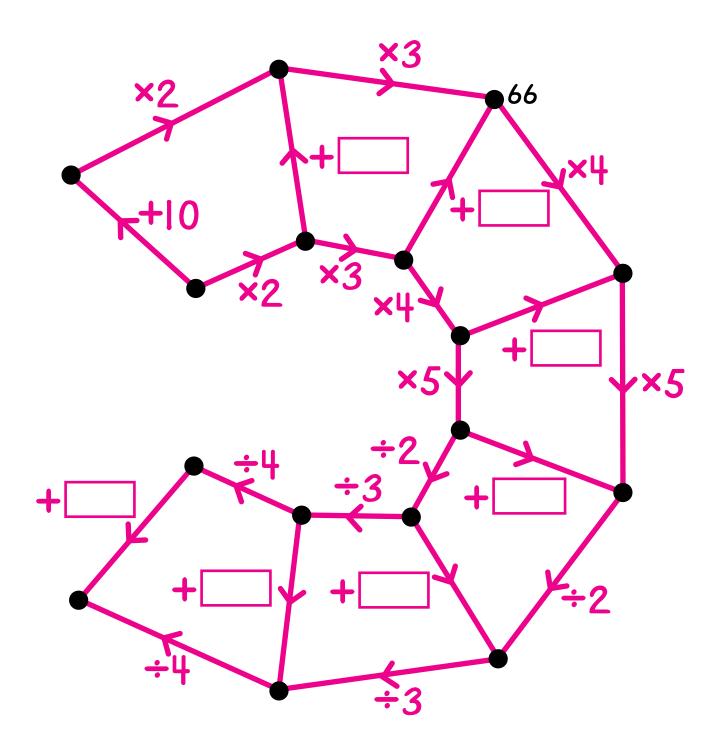
Label the arrows.

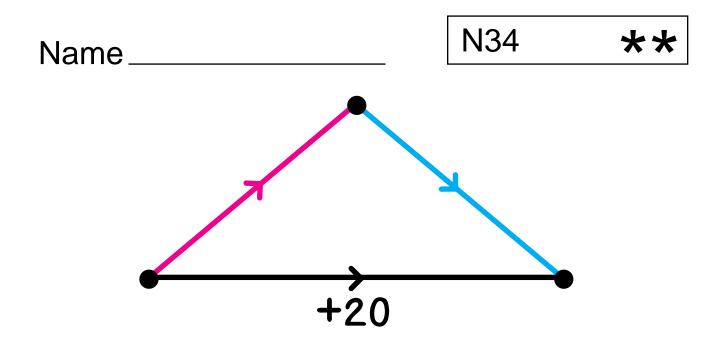


Complete.

 $\frac{7}{20} \times 300 =$ 35% of 40 = 35% of 300 = 35% of 14 = 35% of 14 = 14

Label the dots and fill in the boxes for the arrows.



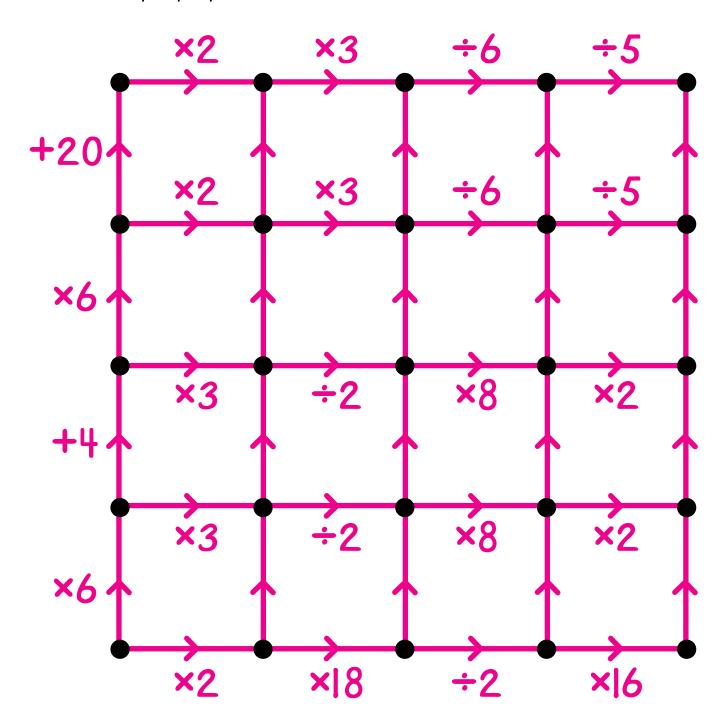


Complete the charts.

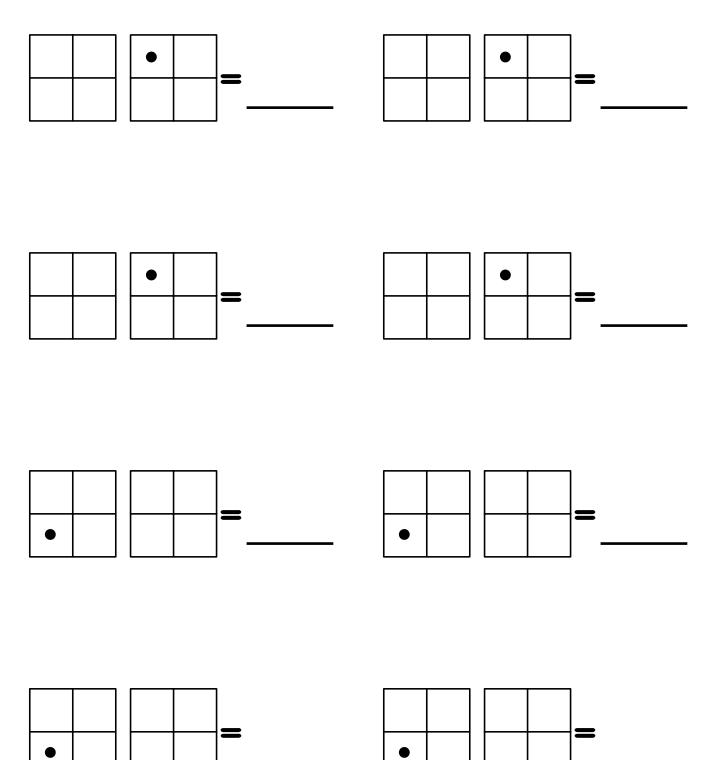
\rightarrow	\rightarrow
+ 3	+7
-8	
	-12
-105	
	+75

\rightarrow	\rightarrow
+7.5	
	+12.8
-2.4	
	+30.5
+8.75	
	-3.25
+1 001	

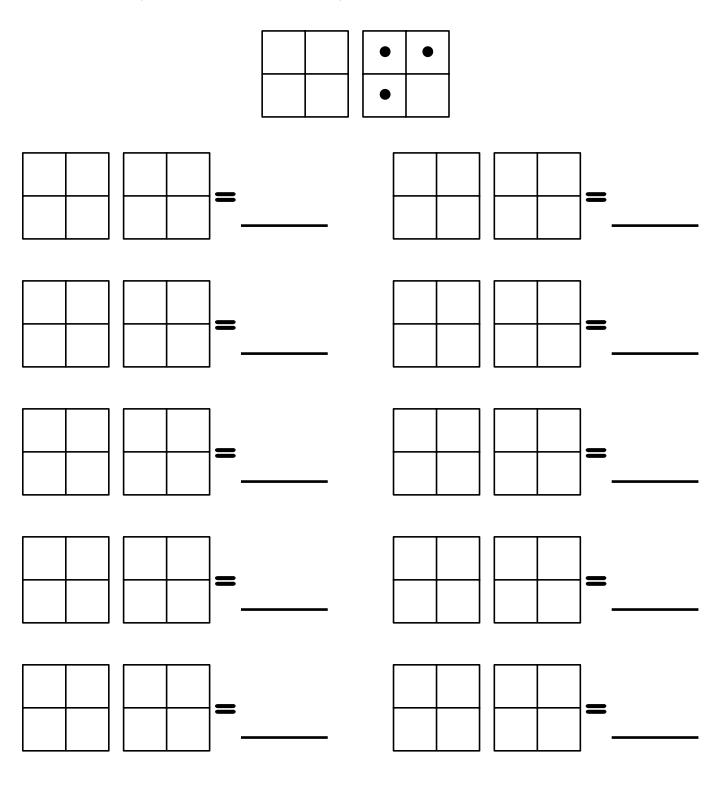
Label each arrow that is not labeled. Each arrow should be labeled +, -, \times , or \div some whole number.



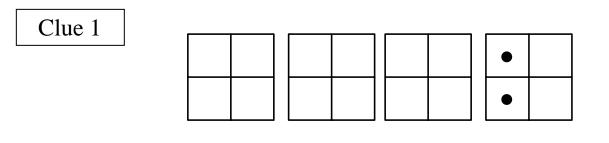
Add a regular checker to each Minicomputer to get a multiple of 3.



By moving exactly one of these checkers to another square, find as many multiples of 4 as you can.



Nick is a secret number.



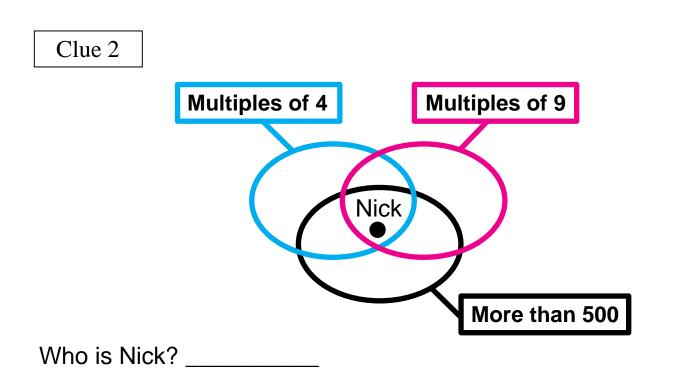
Nick can be put on this Minicomputer by moving one of these checkers to the hundreds board or to the thousands board.

If you move the checker on the 2-square, Nick could be

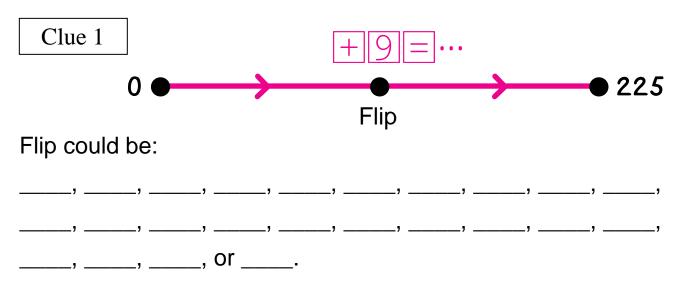


If you move the checker on the 8-square, Nick could be

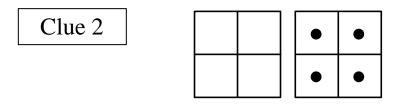




Flip is a secret number.



Do you notice any interesting patterns?

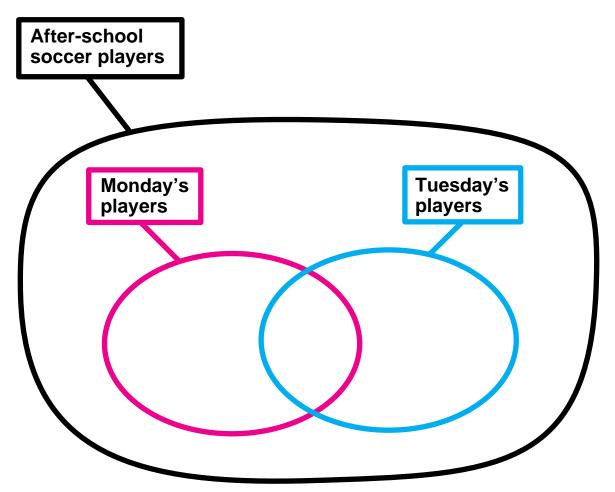


Flip can be put on this Minicomputer by moving one checker to another square.

Flip could be _____, ____, or _____.
Clue 3 Multiples of 6 Positive divisors of 90
Flip
Who is Flip? _____

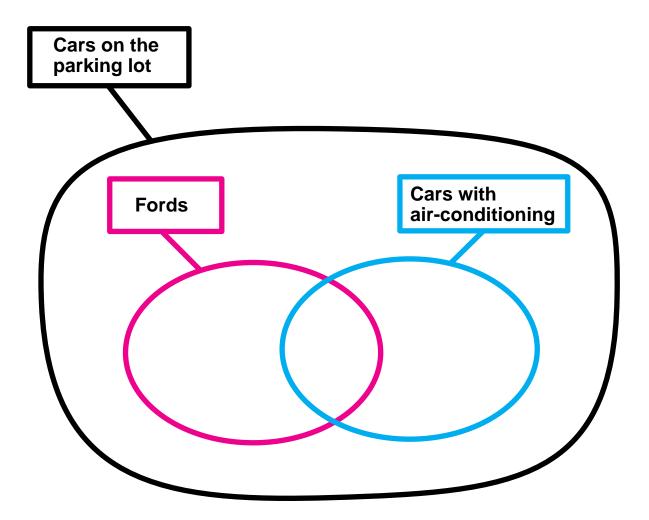
- 1) Exactly 40 students in the school play soccer after school hours.
- 2) Exactly 22 of them play soccer on Mondays. Some of these students also play soccer on other days.
- 3) Exactly 16 of them play soccer on both Mondays and Tuesdays.
- 4) Exactly 8 students play soccer after school, but neither on Mondays nor on Tuesdays.

Use the clues to determine the number of students in each region inside the black string.



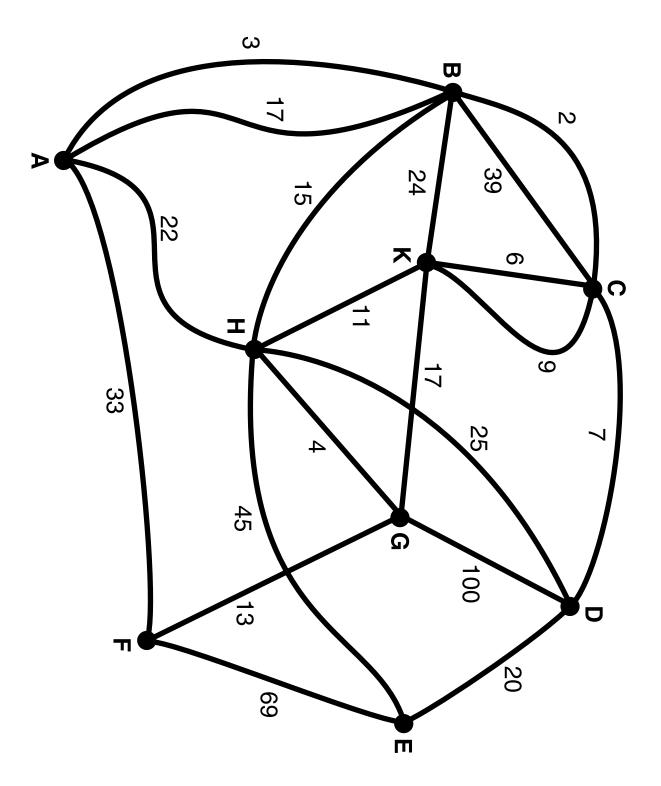
- 1) There are exactly 100 cars on the parking lot.
- 2) Exactly 30 cars on the lot are not Fords and do not have air-conditioning.
- 3) Exactly 50 cars on the lot are Fords.
- 4) Exactly 60 cars on the lot have air-conditioning.

Use the clues to determine the number of cars in each region inside the black string.



Name

L3(a)

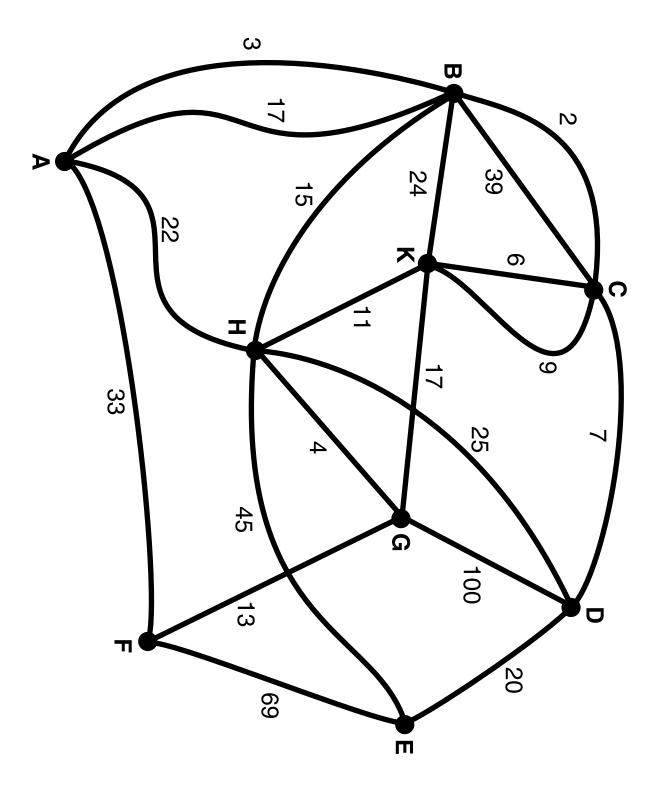


Find the distance between each pair of points.

	Α	B	С	D	Ε	F	G	Η	K
Α									
B C									
						34			
D									
Ε									
F			34						
G									
Η									
Κ									

Name

L4(a)

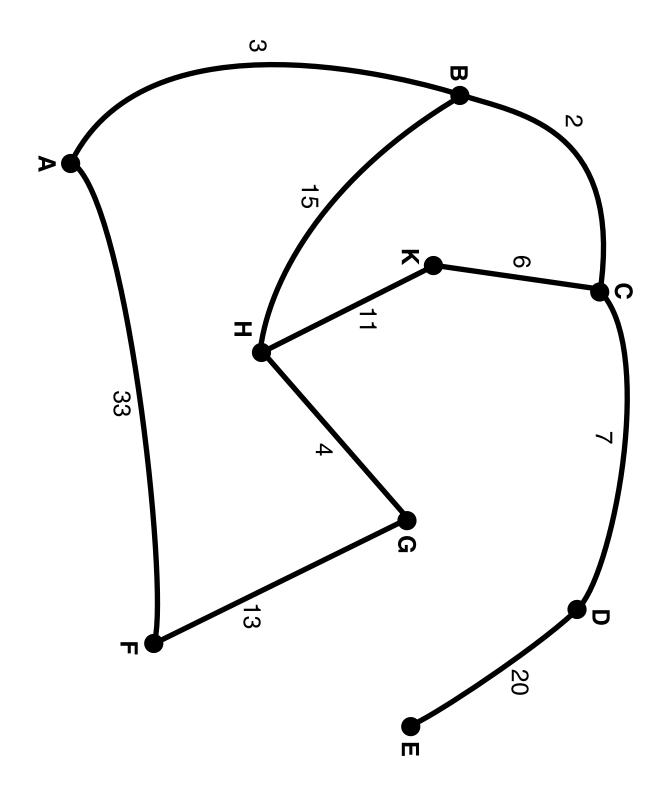


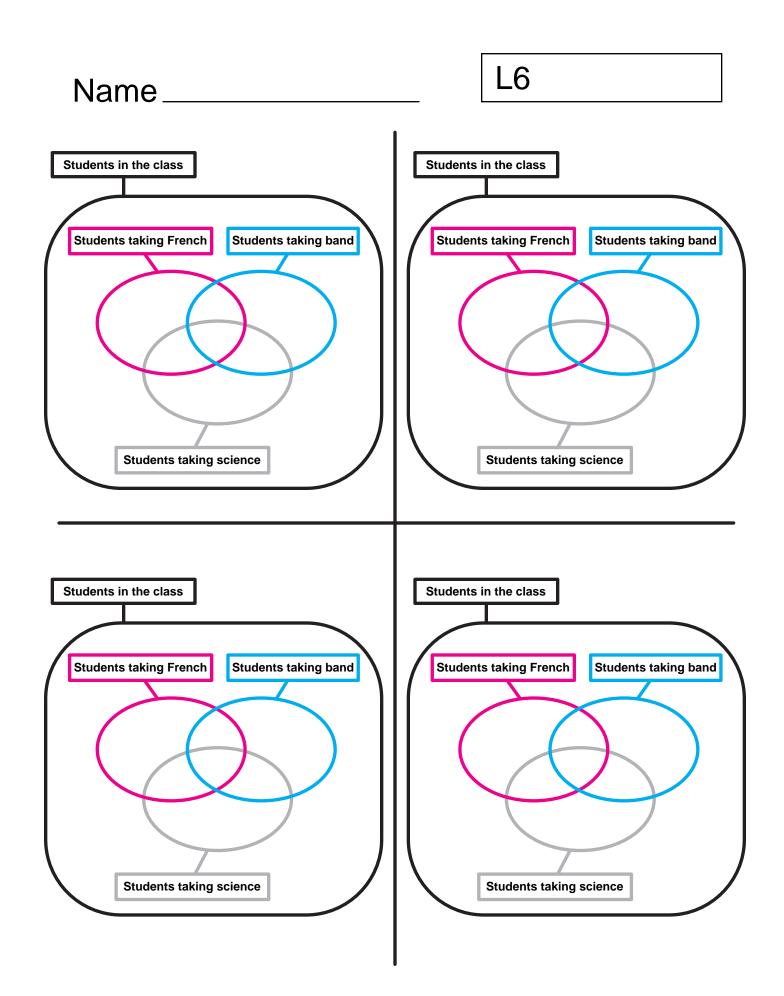
L4(b)

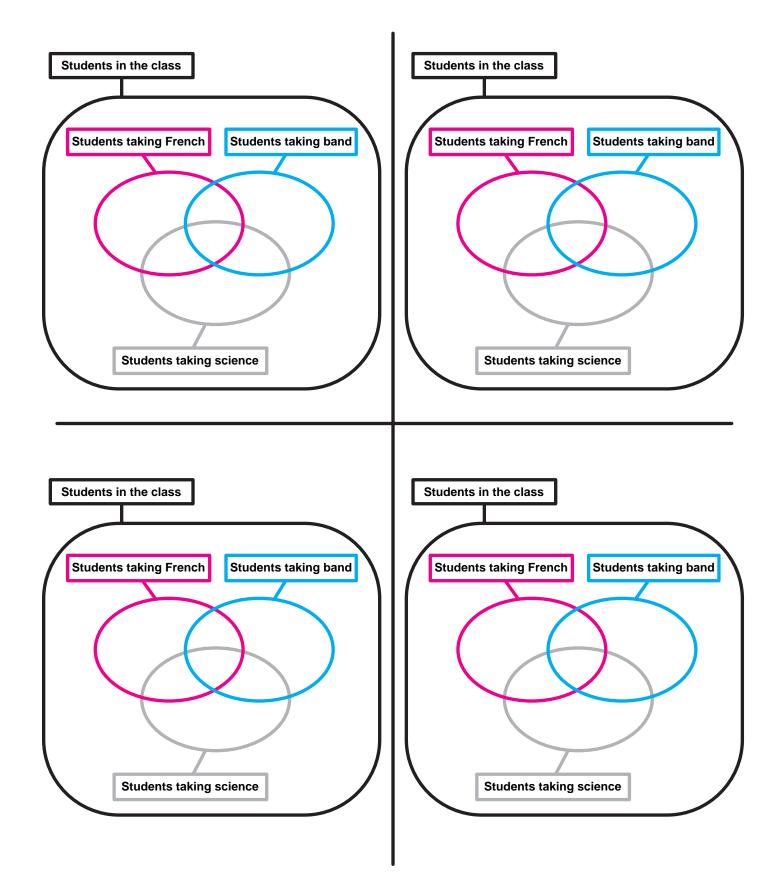
	Α	B	С	D	Ε	F	G	Η	K
A	0	3	5	12	32	33	22	18	
B	3	0	2	9	29	32	19	15	8
С	5	2	0	7	27	34	21	17	6
D	12	9	7	0	20	41	28	24	13
Ε	32	29	27	20	0	61	48	44	33
F	33	32	34	41	61	0	13	17	28
G	22	19	21	28	48	13	0	4	15
Η	18	15	17	24	44	17	4	0	
K		8	6	13	33	28	15		0

Name

L4(c)

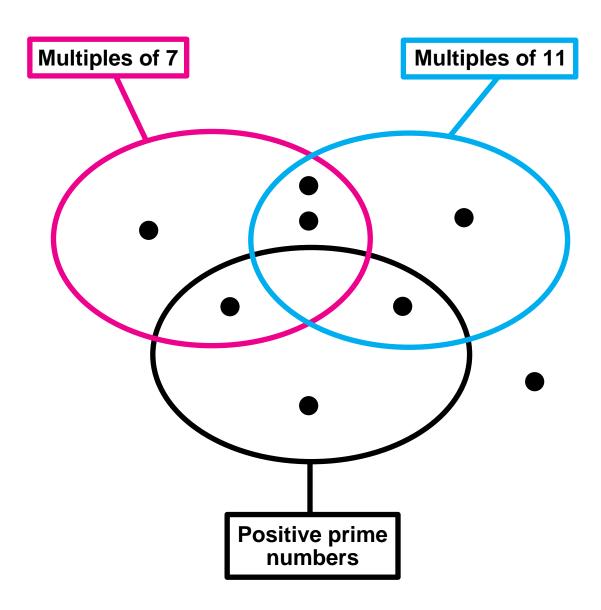






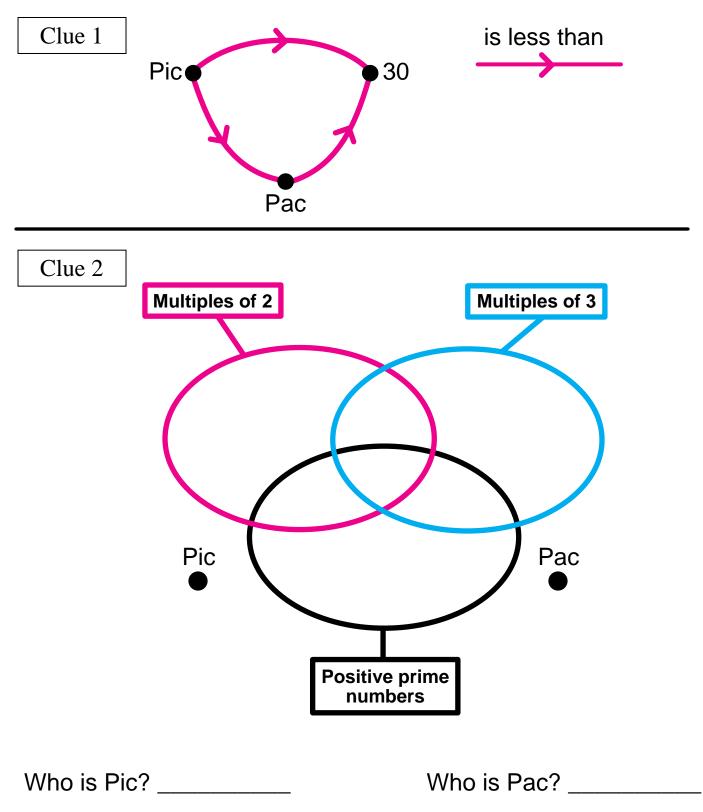
Label each dot in the string picture with one of these numbers.

0 | 5 7 || 22 28 77



Which numbers, if any, belong in the middle region? _____

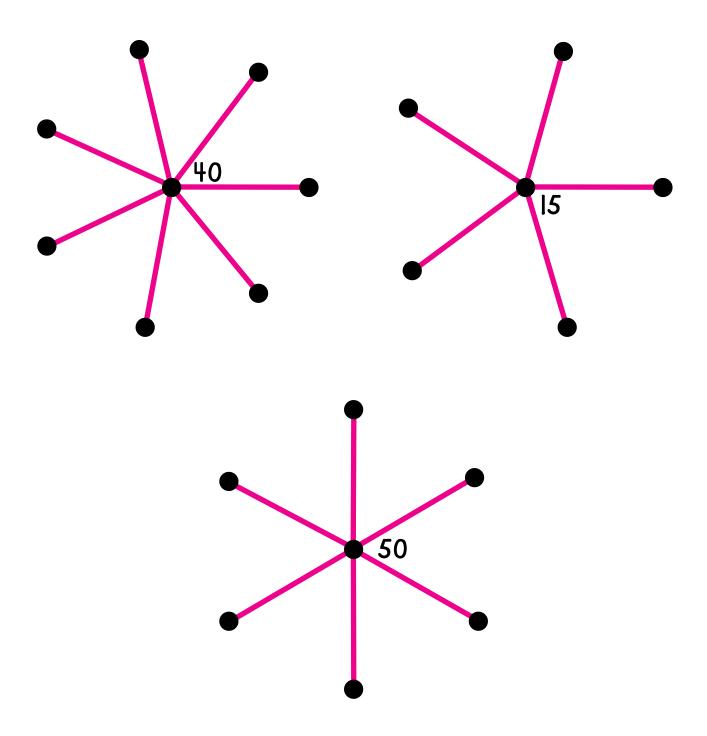
Pic and Pac are secret whole numbers.



L10

Prime Factor Relation

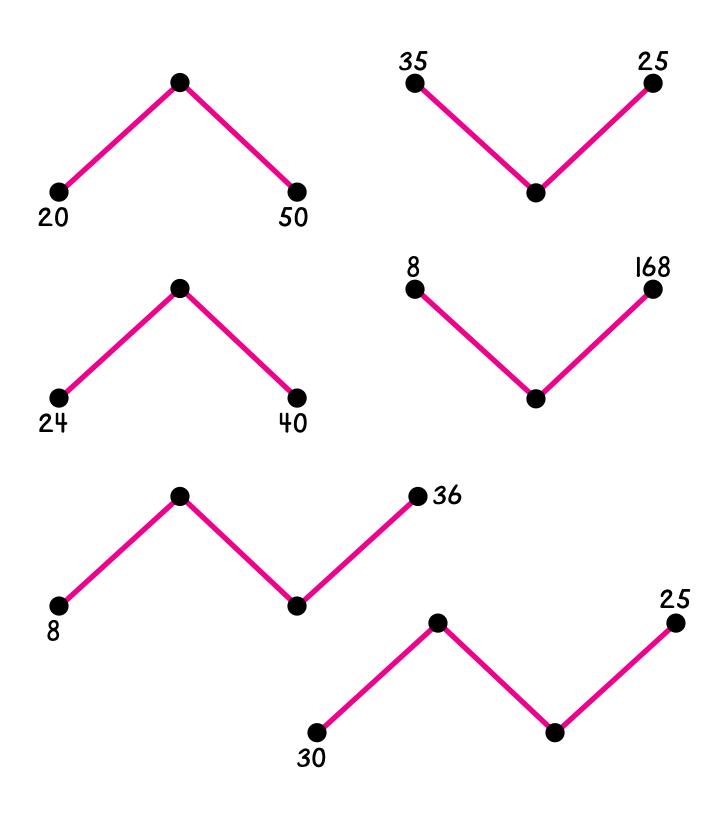
Label the dots. Many solutions are possible.



L10

Prime Factor Relation

Label the dots. Many solutions are possible.



G2

Find the largest cube that can be built with the given number of centimeter cubes. One problem is done for you.

Number of Centimeter Cubes	Dimensions	Volume
132 centimeter cubes	5 cm by 5 cm by 5 cm	125 cm ³
85 centimeter cubes		
324 centimeter cubes		
25 centimeter cubes		
113 centimeter cubes		
621 centimeter cubes		

Find the largest cube possible that can be built with 435 centimeter cubes. Then find the largest cube possible that can be built with the extra centimeter cubes. Keep doing this until no centimeter cubes are left over. The problem is started for you.

Dimensions	Volume	Number of Centimeter Cubes Available
7 cm by 7 cm by 7 cm	343 cm ³	435
		92 (435 - 343 = 92)

Find the largest cube possible that can be built with 664 centimeter cubes. Then find the largest cube possible that can be built with the extra centimeter cubes. Keep doing this until no centimeter cubes are left over.

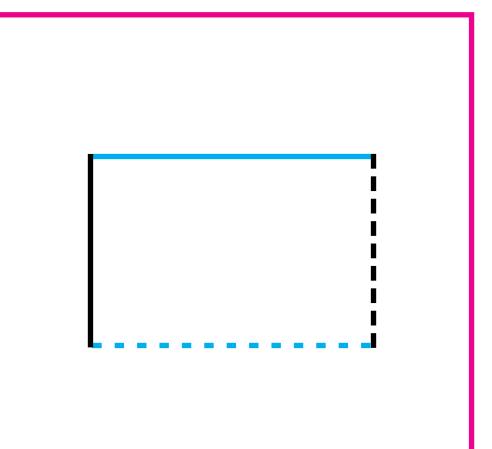
Dimensions	Volume	Number of Centimeter Cubes Available
		664

Na	me
----	----



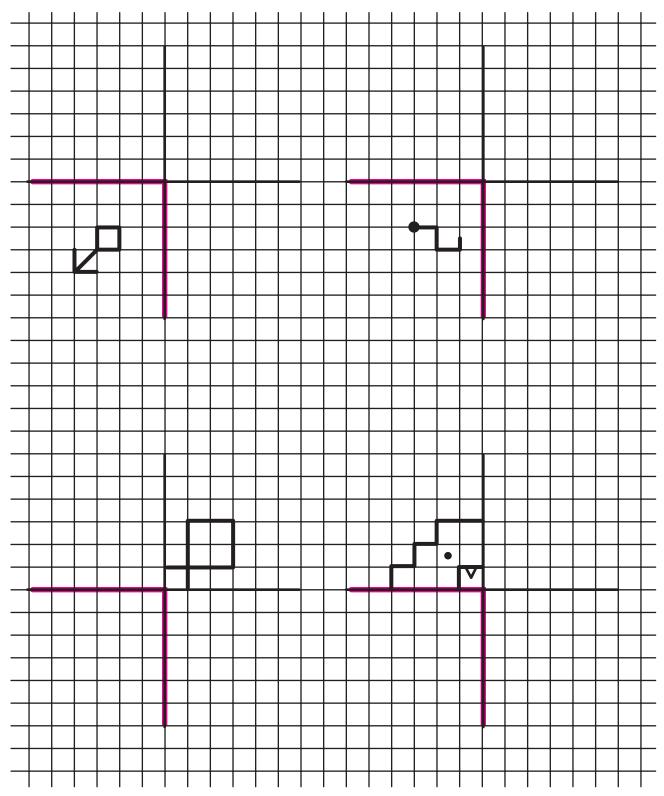
Find the largest cube possible that can be built with 1 500 centimeter cubes. Then find the largest cube possible that can be built with the extra centimeter cubes. Keep doing this until no centimeter cubes are left over.

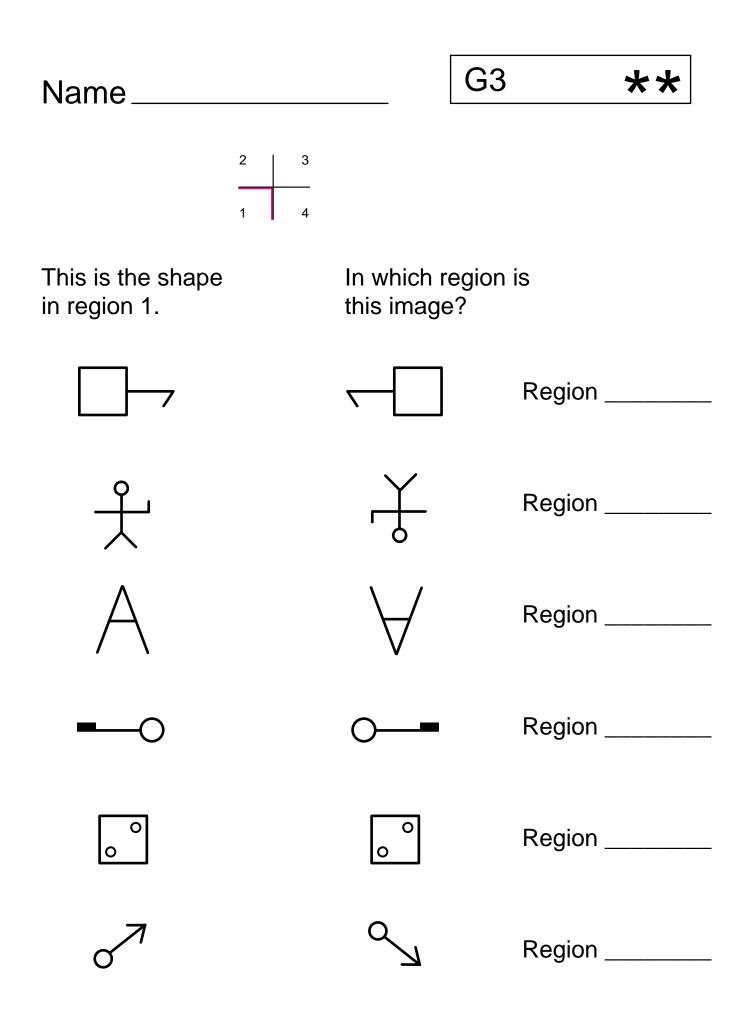
Find the largest cube possible that can be built with 2045 centimeter cubes. Then find the largest cube possible that can be built with the extra centimeter cubes. Keep doing this until no centimeter cubes are left over.



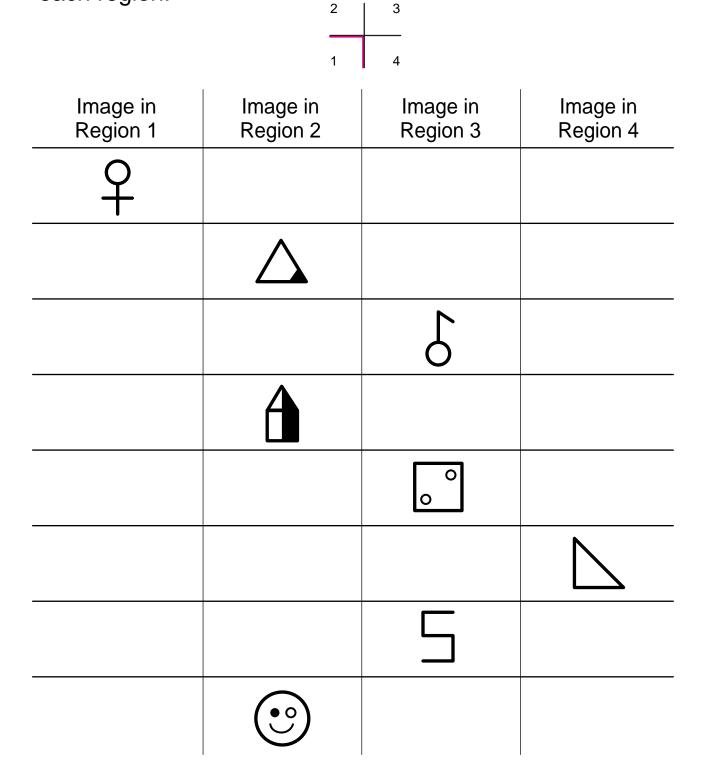
*

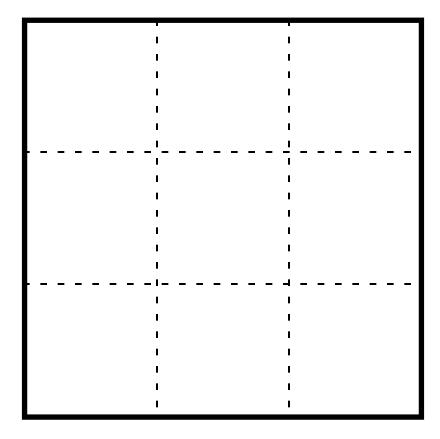
The red lines show where to place the double mirror. Draw the shapes as they would be seen in the other three regions. Use a double mirror to check your work.





Complete this table to show the image that would be seen in each region.



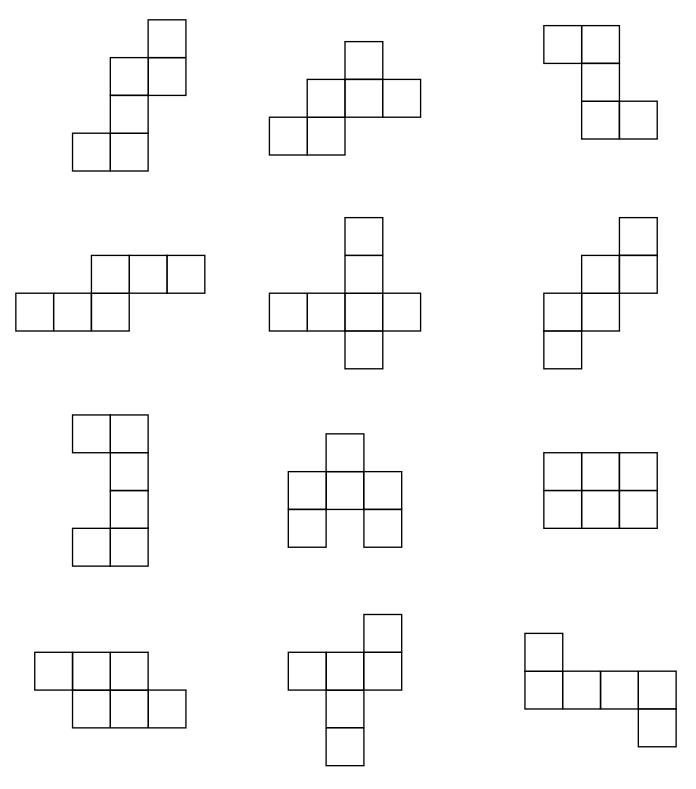


G4(b)

I	ı	ı	I		ı	1			I			I			l		ı	1	ı	ı
 		 			 			 						 		ı	 		1	
 	¦			¦						 	·		¦	<u>+</u>		¦	- - -		; ;	<u> </u>
 	 	 		 	∙ +		 	 		 				 		 	। ∔		 	। ⊢ – –
	1 	, 		, 	, 		 	 					1	, 			, 		 	'
 	' !	' !	L		! !		 	' !		<u>_</u>				! !		! !	! <u>-</u>	L	! !	 <u> </u>
	•			 	 			 		 4				 		 	 		 	
	 	 		 	 		 	 					 	1		 	 		 	
 	' ' '	! ! !		' ' '	L 		' -	L 		' 				L 		/ 	L 		/ 	L
 	 	! !		 	+ !			+			·		— — - 	+		1 — — · 1	+ !		· 	⊢ – – !
 	 	 		 	 		 						1	 		 	 		 	
 	' '	!		' '	L			l		<u> </u>			¦	L		/ 	L		/ /	L
 	 	 		 	 +		 	 		 4	·		ı – – -	 + 		 · 	∙ ►		 · 	
	 	 			 								1	 		ı	 		 	, , ,
 	! !	! !		' !	י 1		 	L		L _ J				י ב		!	 L		! !	I L
	1 	1 1		 	1 1		 			X				 		1 1	 		1	I
 	ı – – –	I – – I		ı — — -	+			+		I – – I	· – –			+		1	+		1	+
 	 	+ 		 	+ 		 	 			·		 	+ 		1 — — · I I	+ 		1 · 	+
 	 	+ 		— – - 	+ 		— — - 				. – –		1	+ 		1 — — · 1 1 1 1	+ 		1 — — · 	+
 	 	+ 		 	+ 		— — - 	+ 					 	+ 		1 — — · 	+ 		1 · 	+
 	 	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1		= 	+ - - - - - - - - - - - - -		= =				·		 	 L 			+ + 		1 · 1 1 1 1 1 1 1 1 1 1 1 1 1	+ - - - - - - - - - - - - -
 	 	1 1 1 1 1 1 1 1 1 1 1 1 1		= = 	+ + 		 	+ - - - - - - - - - - - - -						 L 		1 · 1 1 1 1 1 1 1 1 1 1 1 1	+ + 		1 · 1 1 1 1 1 1 1 1 1 1 1 1	+ 1 1 1 1 1 1 1 1 1 1 1 1 1
 	 				+ - - - - - - - - - - - - -									 		1 · 	+ 			+ - - - - - - - - - - - - -
 	=			 	+ - - - - - - - - - - - - -									 		1 · 1 1 1 1 1 1 1 1 1 1 ·	+ 1 1 1 1 1 1 1 1 + 1 1 1 1 1 1 1 1 1 1 1 1 1			+ - - - - - - - - - - - - -
 	<u> </u> 	<u> </u> 		 	I			 			·			 		1 	+ + 		I I	<u> </u>
 	 	 		 	 L			 						I I		1 · 1 1 1 1 1 1 1 1 1 1 1 1 1	+ + 		I I	<u> </u>
 	 	<u> </u> 		 	 			 						I I			+ 		 	<u> </u>
 	 	1 1 1 2 1 1 1		 	 			 						L L		1 · 1 1 1 1 1 1 1 1 1 1 1 1 1	+ - - - - - - - - - - - - -		 	
	 	 		 	 			 						I I			+ - - - - - - - - - - - - -		 	
	 	 			I I I I I I I I I I I I I I I I I I I									I I			+ - - - - - - - - - - - - -		 	
	 				$\begin{bmatrix} \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\$									I I <td></td> <td></td> <td>+ - - - - - - - - - - - - -</td> <td></td> <td></td> <td></td>			+ - - - - - - - - - - - - -			
														I I <td></td> <td></td> <td>+ - - - - - - - - - - - - -</td> <td></td> <td></td> <td> </td>			+ - - - - - - - - - - - - -			

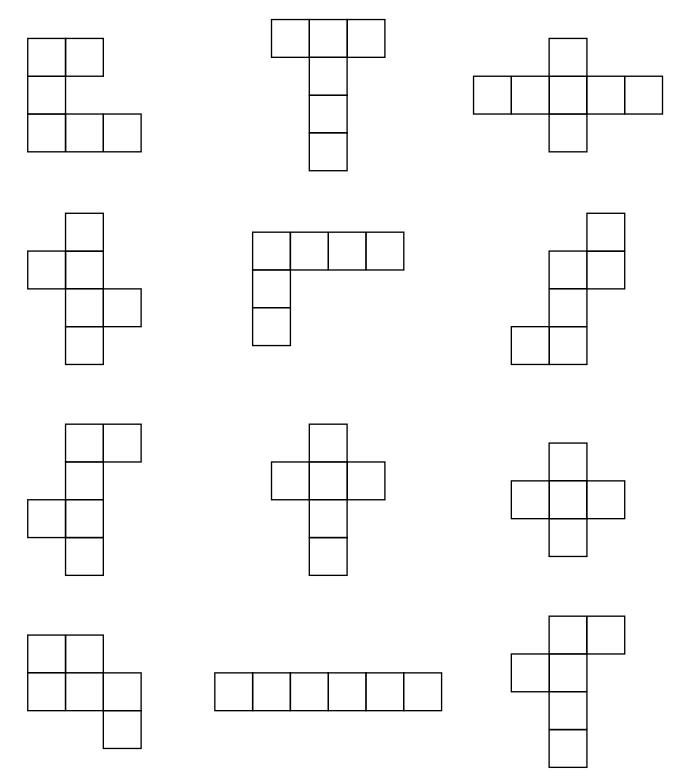
G6(a)

Circle the configurations that are maps of a cube. Cross out those that are not maps of a cube.

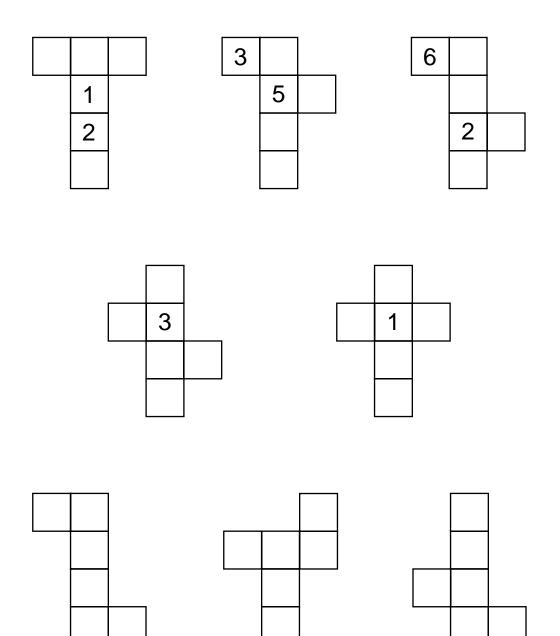


Name_____

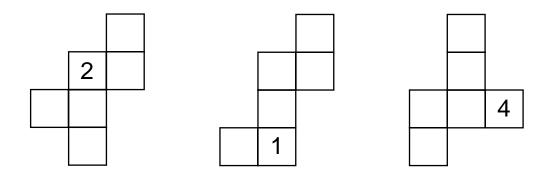
Circle the configurations that are maps of a cube. Cross out those that are not maps of a cube.



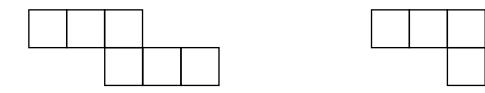
Complete the labeling of each map to make a map of a die.



Complete the labeling of each map to make a map of a die.



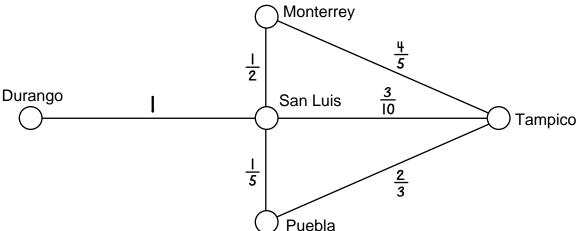
These maps are the same. Label them differently so that both are maps of a die.



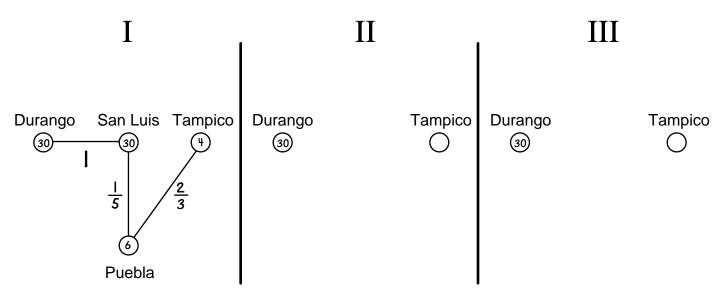
Name

★

This is a map of routes from Durango to Tampico. The numbers on each road give the possibility a traveler will survive one passage along the road.



There are three routes conquistadors can take from Durango to Tampico. One route (I) is shown below; draw the other two routes (II and III).

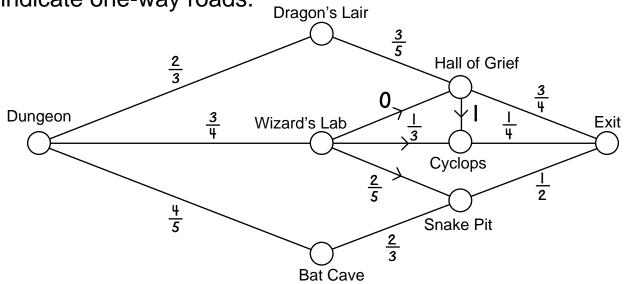


30 conquistadors start from Durango. For each route, calculate how many you would expect to arrive in Tampico. One is done for you.

Which route is safest?

Name

This is a map of routes from a Dungeon to an Exit. The arrows indicate one-way roads.



Draw each route an adventurer could take from the Dungeon to the Exit. Do not include routes that have roads that should definitely be avoided. There are six or fewer good routes.

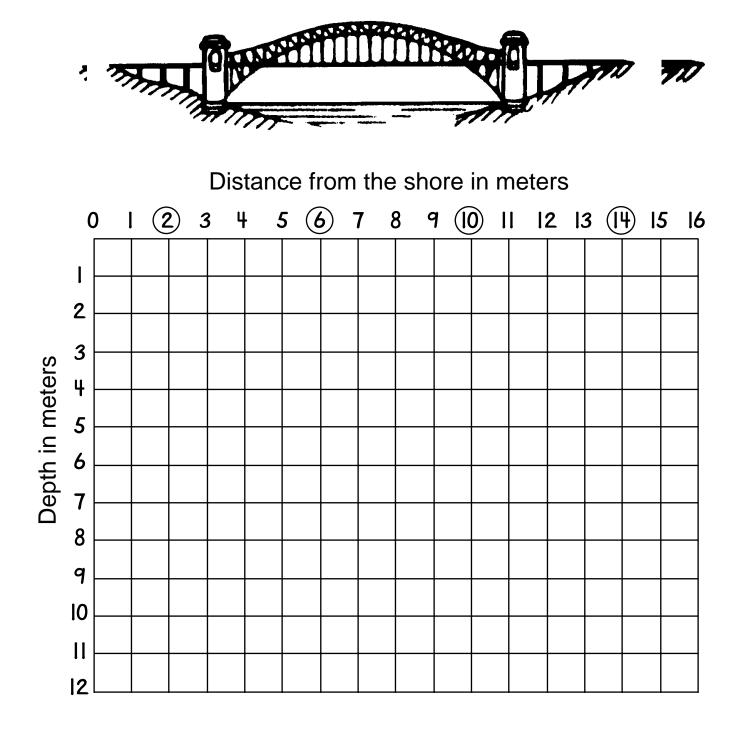
	Ι			II			III	
Dungeon		Exit	Dungeon ම		Exit	Dungeon ම		Exit
	IV			V			VI	
Dungeon ම		Exit	Dungeon ම		Exit	Dungeon ම		Exit

60 warriors start from the Dungeon. For each route, calculate the number that you would expect to survive. Which route is the safest?

Name_____

P5(a)

Measurements of the depth of the water below a bridge are taken at 2, 6, 10, and 14 meters from the lake shore. The mean average depth is 2 meters. Draw a possible profile of the lake below the bridge.

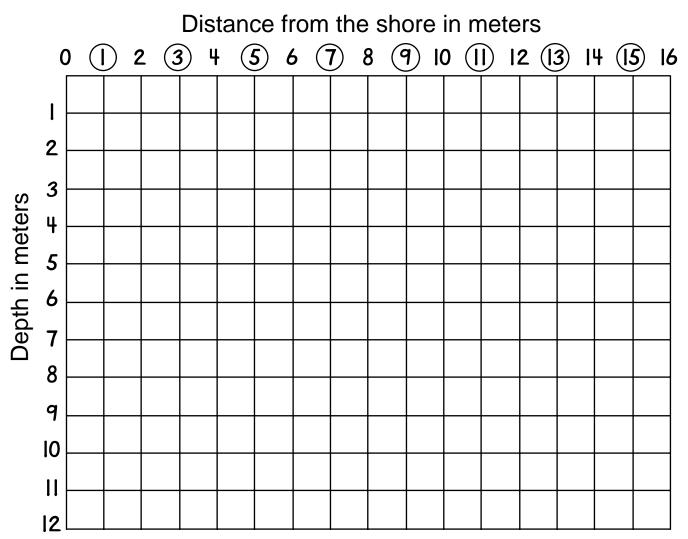


This is the data the park ranger provided for the depth of the water below the bridge.

8 measurements Mean: 2 meters Mode: 1 meter Range: 1 to 8 meters

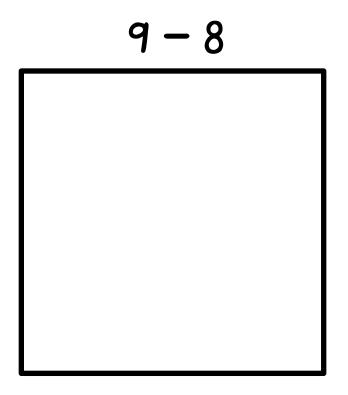
What could the eight measurements have been?

____m, ___m, ___m, ___m, ___m, ___m, ___m, ___m, ___m Measurements were taken at 1, 3, 5, 7, 9, 11, 13, and 15 meters from the lake shore. Based on the eight measurements you listed, draw a profile of the lake below the bridge.



Rita: **9** Bruce: **8**

Rita leads Bruce 9-8 in a game to 10 points when they must stop playing. Use this square to calculate each player's probability of winning.



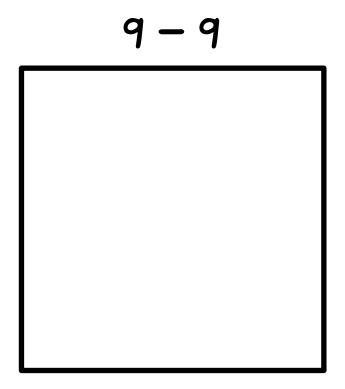
What is Rita's probability of winning? _____ Bruce's _____

If Rita and Bruce each put 50¢ into a pot, how should they share the \$1.00 when the game stops at 9-8? Rita _____ Bruce _____

*

Rita: **9** Bruce: **9**

Rita and Bruce are tied in a game to 10 points when they must stop playing. Use this square to calculate each player's probability of winning.

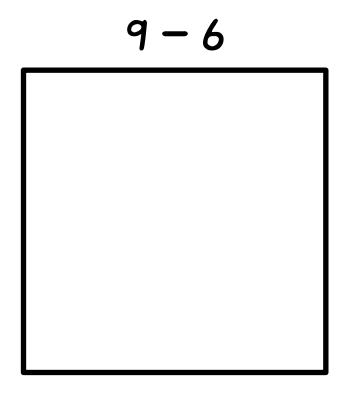


What is Rita's probability of winning? Bruce's	What is Rita's	probability	of winning?	Bruce's	
--	----------------	-------------	-------------	---------	--

**

Rita: **9** Bruce: **6**

Rita leads Bruce 9-6 in a game to 10 points when they must stop playing. Use this square to calculate each player's probability of winning.



What is Rita's probability of winning? _____ Bruce's _____

